



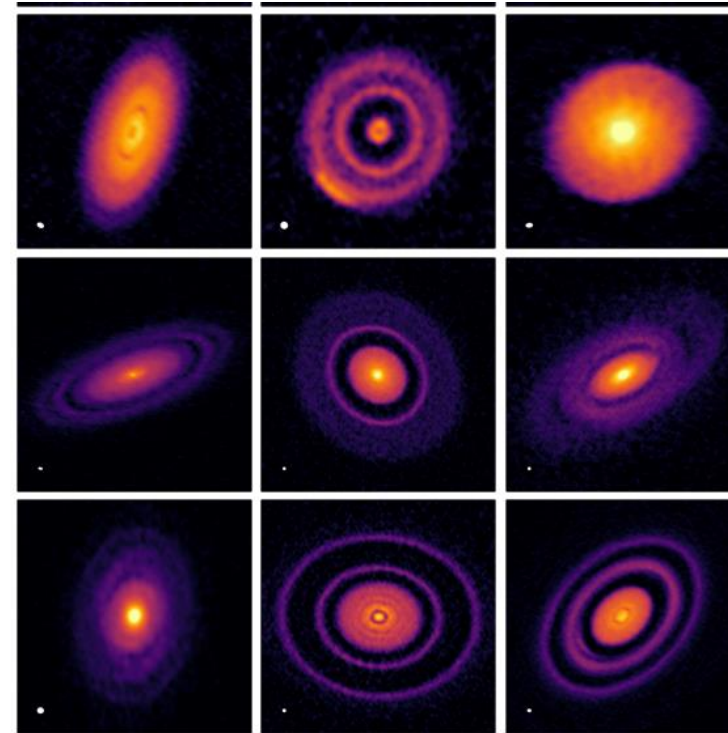
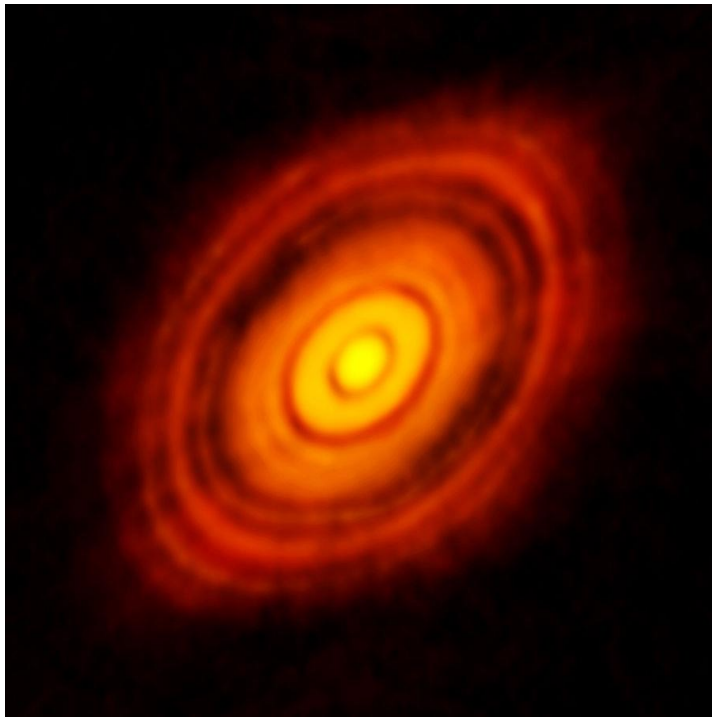
Observational Cosmology Journal Club

July 8th, 2019 | Shijie Wang

1. R.Miranda and R.Rafikov. **On the Planetary Interpretation of Multiple Gaps and Rings in Protoplanetary Disks Seen By ALMA.** [2019 *ApJL* 878 L9.](#)
2. N.Nelson, B.Bitsch and E.Jurua. **Are the observed gaps in protoplanetary discs caused by growing planets?** [arXiv:1906.11491](#)

Common Background

ALMA observation on HL Tau, followed by DSHARP survey of protoplanetary disks → Rings/Gaps



Left: HL Tau[ALMA (ESO/NAOJ/NRAO)]. **Right:** Disk continuum images with rings/gaps[DSHARP]

Interpretation and verification

Multiple Interpretations

- Snow Lines(Zhang & Jin 2015), Instability(Takahashi & Inutsuka 2016), Sintering(Okuzumi et al. 2016), MHD effect(e.g. Flock et al. 2015, Hu et al. 2019), and
- **The most popular: Planet(s)**

Verification: different approaches

- **Miranda and Rafikow[P1]:** hydrodynamical simulations → compare with ALMA observation and other models
- **Ndugu et al.[P2]:** Planet population synthesis → compare with observed exoplanetary population

[P1]Motivation

- Previous studies
 - A **low-mass** (sub- M_{th}) planet can produce multiple rings

$$M_{th} = \left(\frac{H_p}{r_p} \right)^3 M_* = 1 M_J \left(\frac{H_p/r_p}{0.1} \right)^3 \frac{M_*}{M_\odot}$$

- Assume: **locally isothermal model** → short cooling time → only works well at outer part, not poorly-cooled inner part
- This work
 - Re-examine the case use both **isothermal** and **adiabatic model**
 - Compare the simulation results & show the difference.
 - ‘Urge caution regarding the isothermal model’

Numerical Setup

Disk Model

- A planet of mass M_p with a radius r_p
- Sound speed given by

$$c_s(r) = h_p r_p \Omega_p \left(\frac{r}{r_p} \right)^{-q/2}$$

- Initial gas surface density

$$\Sigma_g(r) = \Sigma_{g,p} (r/r_p)^{-1}$$

Equation of state

- Isothermal: $P = c_s^2(r) \Sigma_g$
 - No need solving energy equation.
- Adiabatic: $P = (\gamma - 1)e \Sigma_g$
 - e : specific internal energy
 - $c_s^2 = \gamma(\gamma - 1)e$ determined by energy equation
 - $\gamma = 1.001$ close to unity to show difference

Simulations

- 2D inviscid hydrodynamical simulations using FARGO3D
- Two sets of simulations:
 - high spatial resolution ($N_r \times N_f = 3004 \times 4096$)
 - lower spatial resolution ($N_r \times N_f = 1128 \times 1536$)
- Dust evolution
 - 1D simulation(axial-symmetric)
 - Assume low dust-to-gas ratio \rightarrow no dust feedback
 - Dust radial velocity(Takeuchi & Lin 2002)

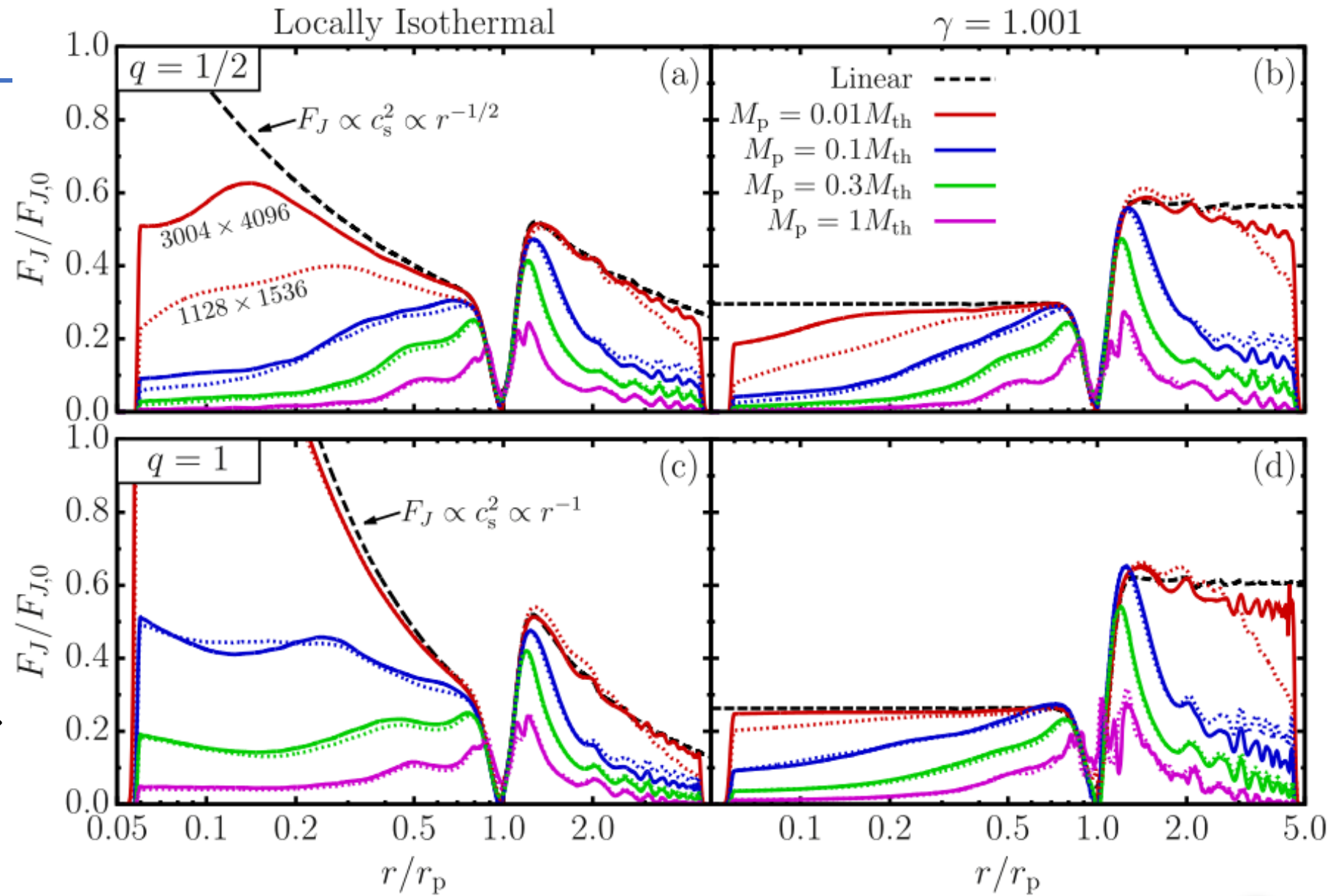
$$u_{r,d} = \frac{1}{1 + St^2} \left(\bar{u}_{r,g} + \frac{St}{\langle \Sigma_g \rangle \Omega_K} \frac{d \langle P \rangle}{dr} \right)$$

St: Stokes number

\bar{u} : Effective gas radial velocity

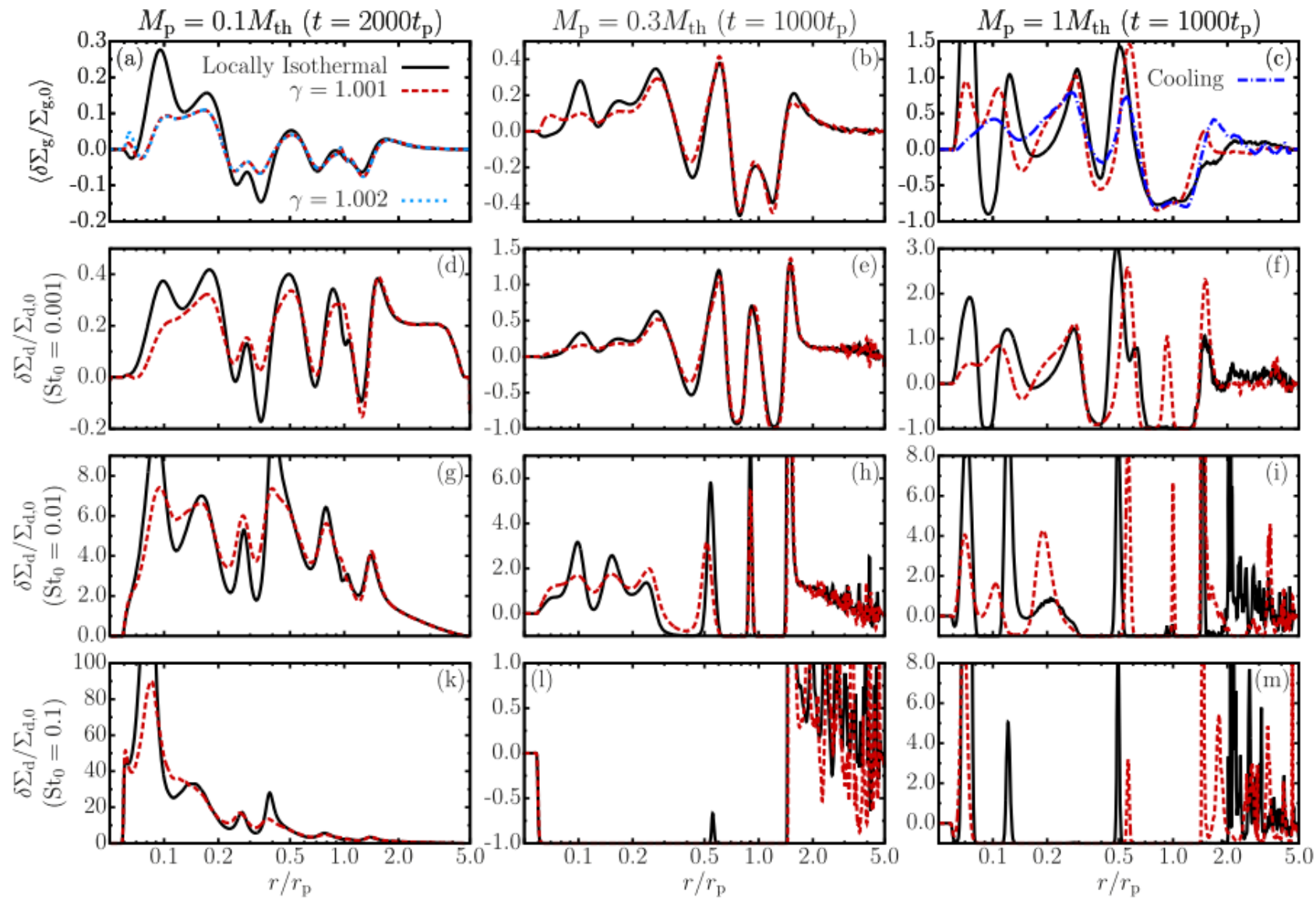
Results

- Angular momentum flux (AMF)
 - Conserved if no dissipation
 - Larger AMF \rightarrow higher wave amplitude
- $F_j \propto r^{-1}$ (*iso*) v.s. F_j flat
- Larger mass \rightarrow more dissipation \rightarrow smaller F_j
- Increase resolution \rightarrow larger diff. in ISO case \rightarrow ISO AD diff. not due to resolution



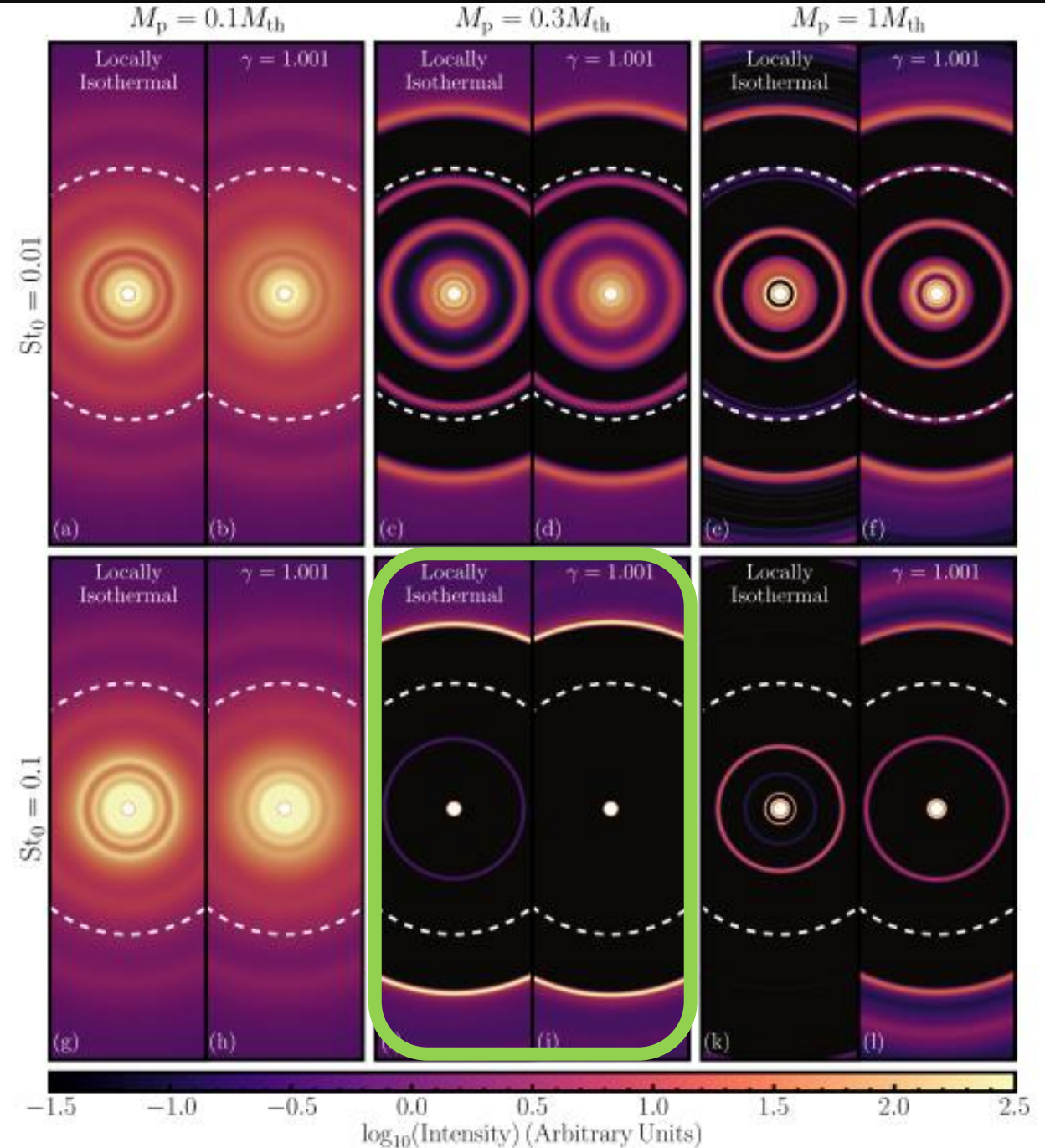
Results: Averaged Gas perturbation

- Results is time-dependent.
- Main difference between ISO and Adb is rate of change. (not shown: ISO higher)
- Four to six rings and some gaps formed
- Gap/ring position diff. increases when:
 - Mass \uparrow
 - St.#(Dust size) \uparrow



Emission Maps

- Same feature as Fig 2.
- Gaps are more pronounced at $r \leq 0.5r_p$ when :
 - Small M_p
 - Small Dust size
 - Isothermal case
- $M = 0.3M_{th}, St = 0.1 \rightarrow$ a faint ring is absent!



Discussions

- Anomalous behavior of the locally isothermal EoS in numerical applications: qualitative difference
 - A more realistic treatment requires $\gamma = 7/5$, cooling/radiative transfer, and 3D treatment.
 - Deviations arise mainly when waves travel far from the planet, absorbing a significant amount of AMF from the disk flow
- Consideration of additional physics such as migration requires attention to Isothermal treatment
- AMF is useful in showing nonlinear evolution & subtle effects

[P2]Motivation

Planet
Assumptions



DSHARP
Observation

Compare with
observation
& verify



Simulated
Exoplanetary
Population



Population
synthesis model

Initial
Conditions



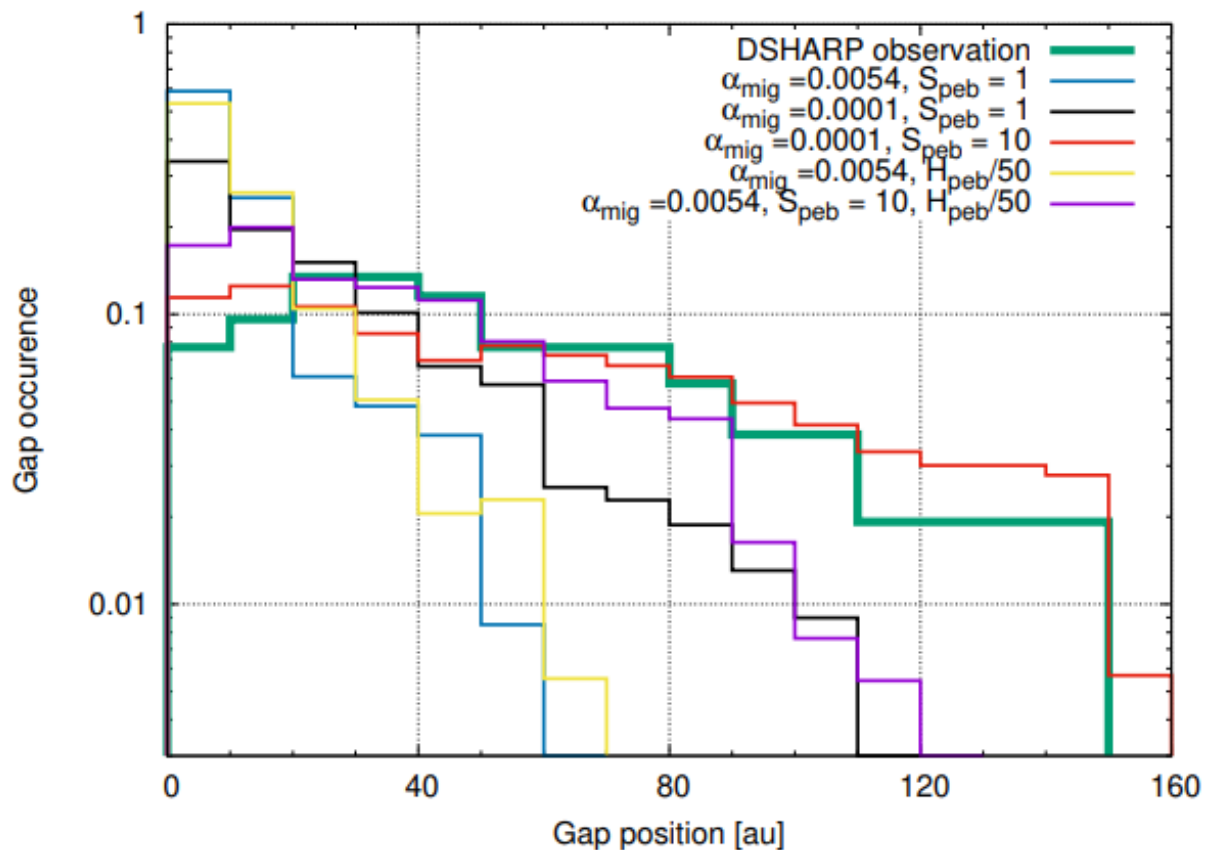
Model

- Disk Model
 - Based on 2D Hyd-dyn simulations of Bitsch+15
 - Viscosity $\alpha = 5.4 \times 10^{-3}$
- Formation & Migration
 - Pebble accretion rate:
$$\dot{M}_{\text{peb}} = 2S_{\text{peb}}\pi r_g \frac{dr_g}{dt} (Z_{\text{peb}}\Sigma_g(r_g))$$
 - Gas accretion rate(Bitsch+15a):
$$\dot{M}_{\text{gas}} = 0.000175 f^{-2} \left(\frac{\kappa_{\text{env}}}{1\text{cm}^2/\text{g}} \right)^{-1} \left(\frac{\rho_C}{5.5\text{g}/\text{cm}^3} \right)^{-\frac{1}{6}} \left(\frac{M_c}{M_E} \right)^{\frac{11}{3}} \left(\frac{M_{\text{env}}}{1M_E} \right)^{-1} \left(\frac{T}{81\text{K}} \right)^{-0.5} \frac{M_E}{\text{My}}$$
 - Migration(Paardekooper+11): Γ_L and Γ_C

Randomised Initial Conds

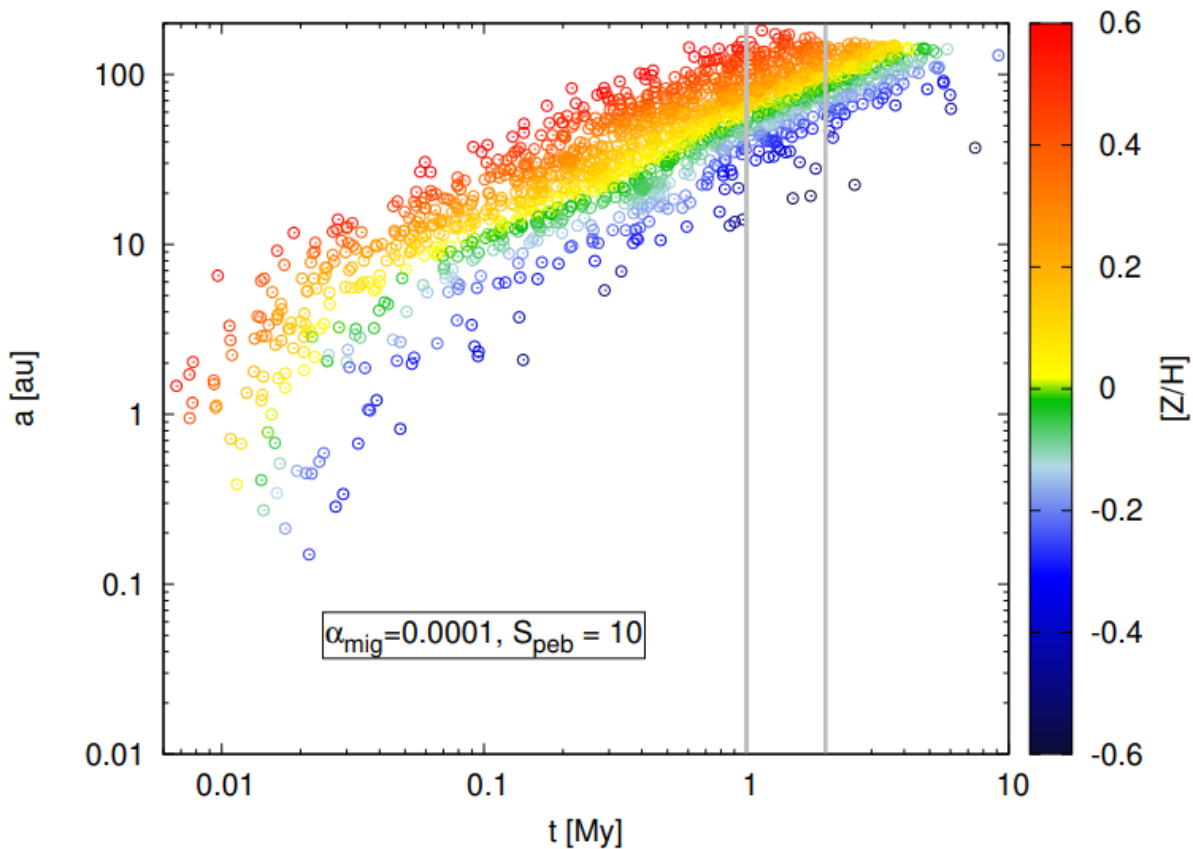
- Disc metallicity and lifetime
→ disc structure
 - Power-law disk profile: $\Sigma_g \propto R^{-\frac{14}{15}}, H \propto R^{2/7}$
- Implantation time and position → growth and migration trajectories of cores
- Full simulations performed until 10 Myr

Match to DSHARP



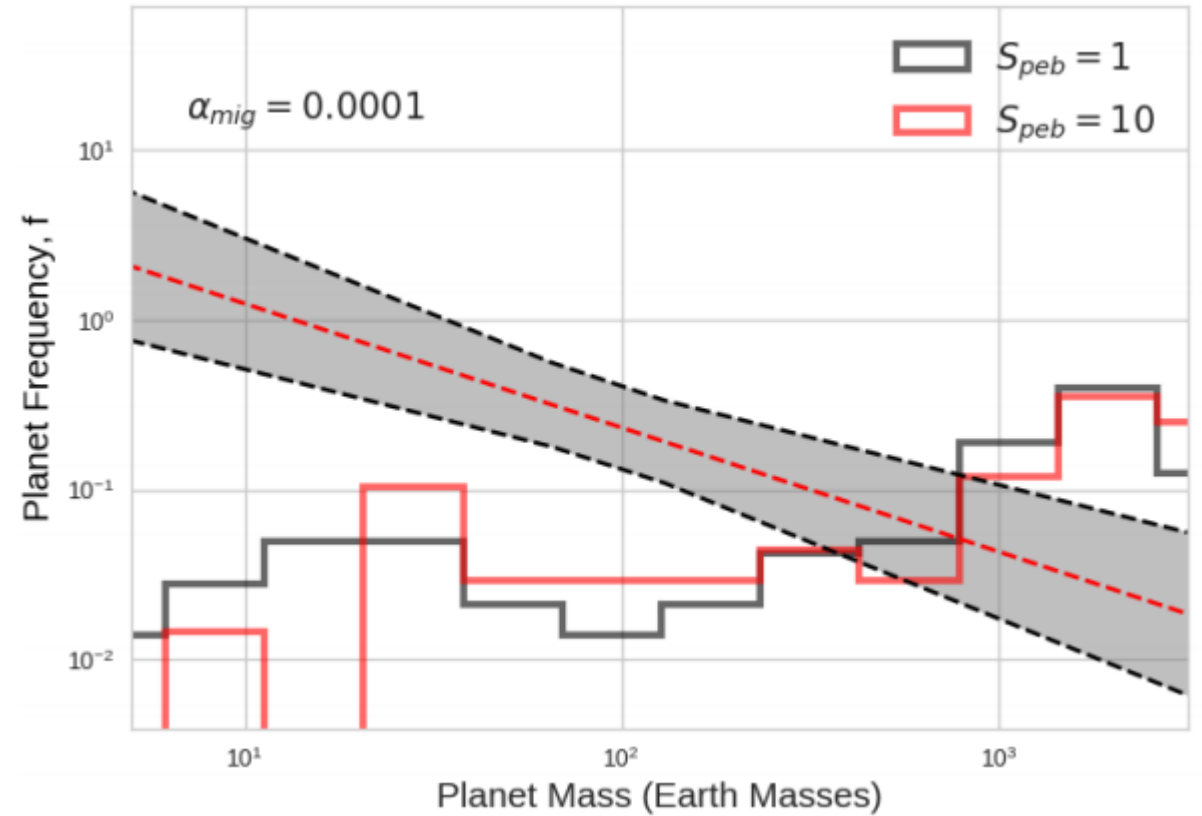
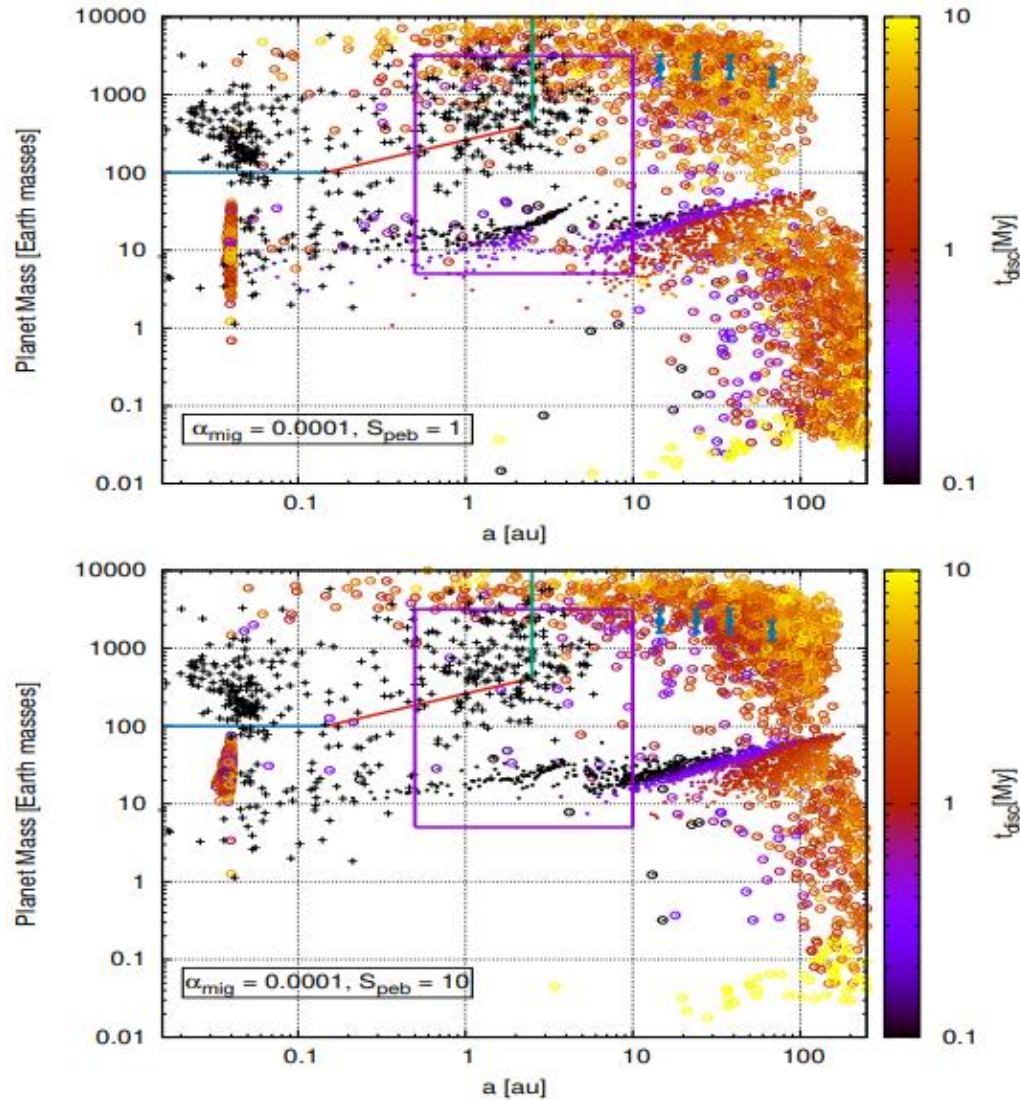
Comparison of gap occurrence rate (embryos reach M_{iso} per disk)

M_{iso} : pebble isolation mass; S: pebble scaling factor



Position and time when $M_p = M_{\text{iso}}$

Match to Exoplanet data(RV & Microlensing)



↑ Gas giants are overestimated and super-earths underestimated(with Microlensing)

↑ black '+' : RV data, open circle: full simulation

Takeaway

- A large amount of pebbles are required to explain the observed rings.
 - Not all rings are caused by planets, or
 - Planet formation simulation missed important ingredients of gas accretion
- Planetary formation timescale required is close or longer than disk lifetime
- Pebble production line at around 300 au required → larger than observation
- DSHARP can be biased and not representative