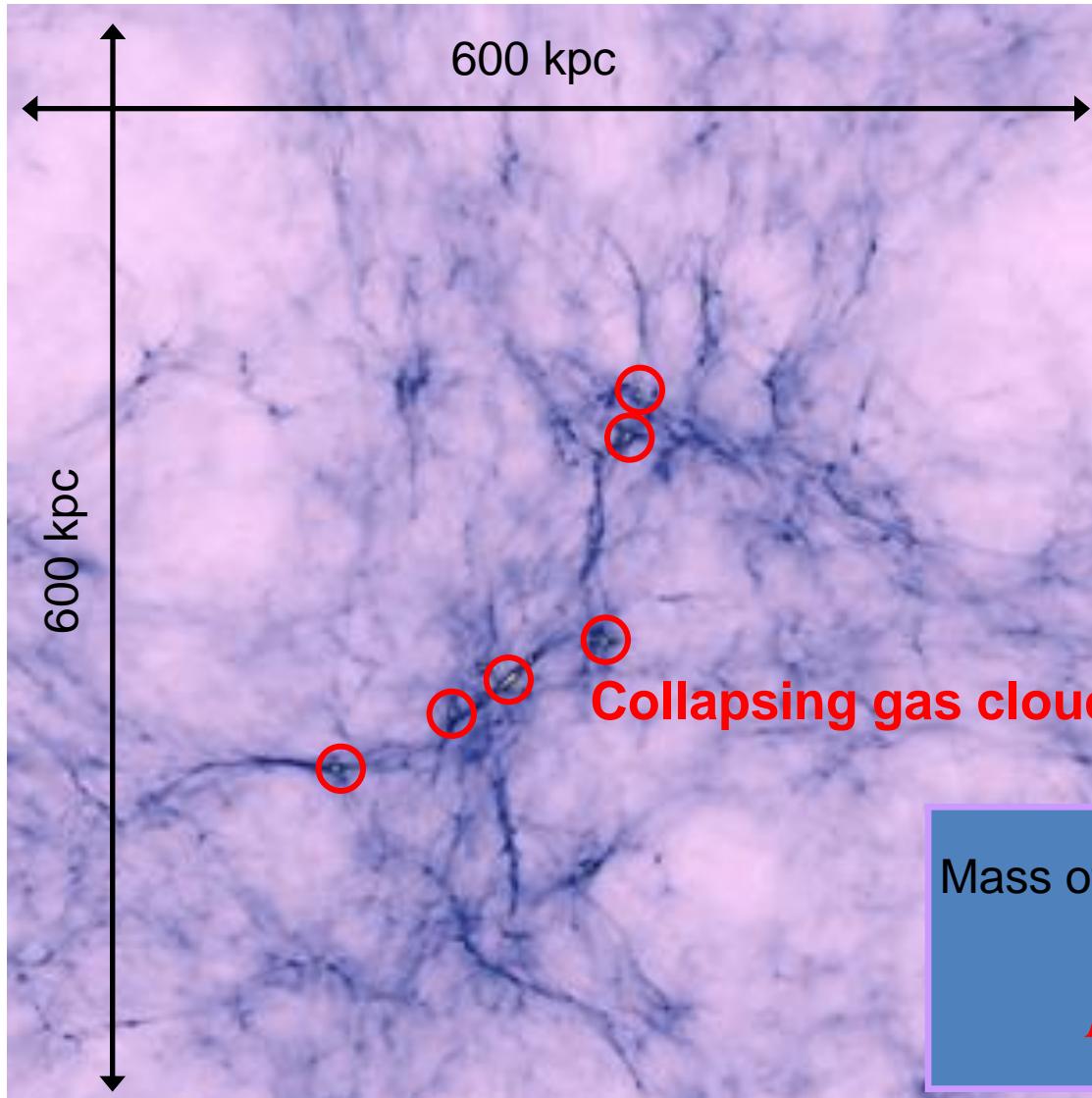


初代星の質量について

Hajime Susa
Konan University

Collaborators : Kenji Hasegawa (Tsukuba,K),
Nozomu Tominaga (Konan)

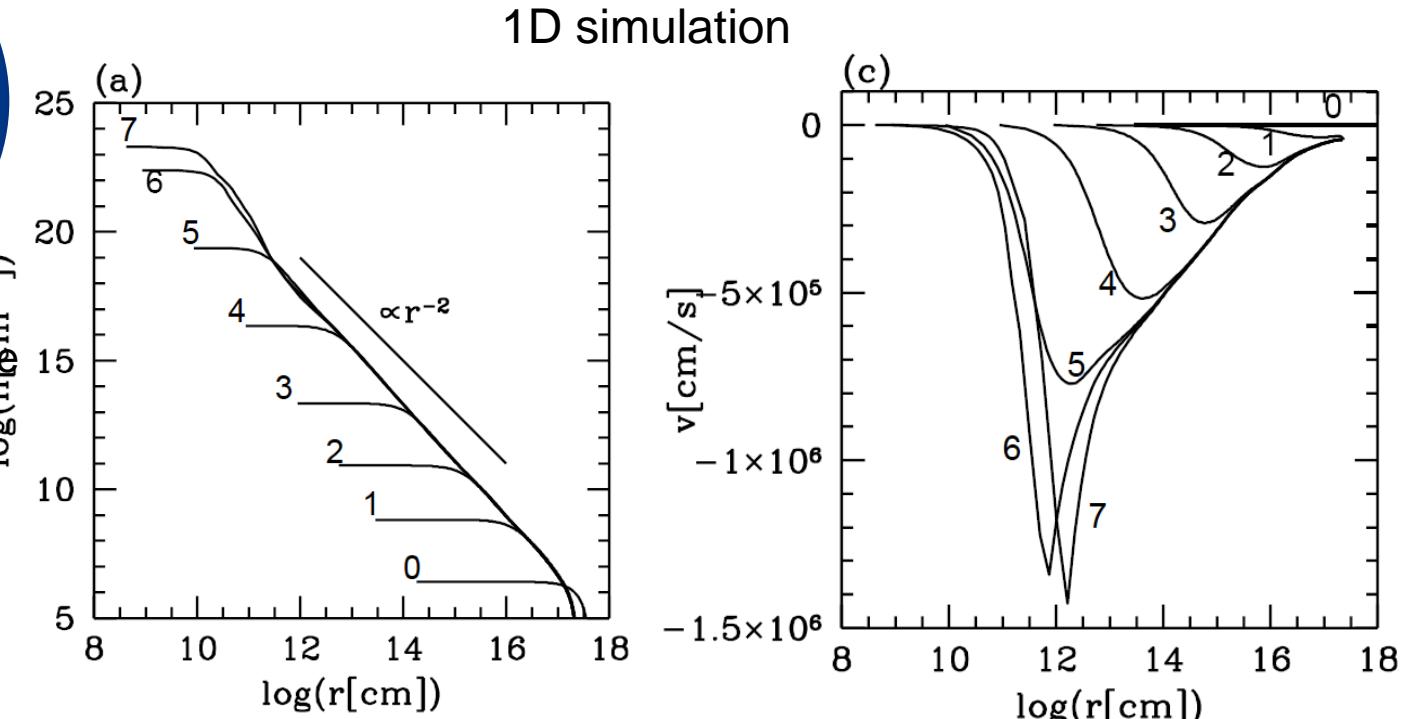
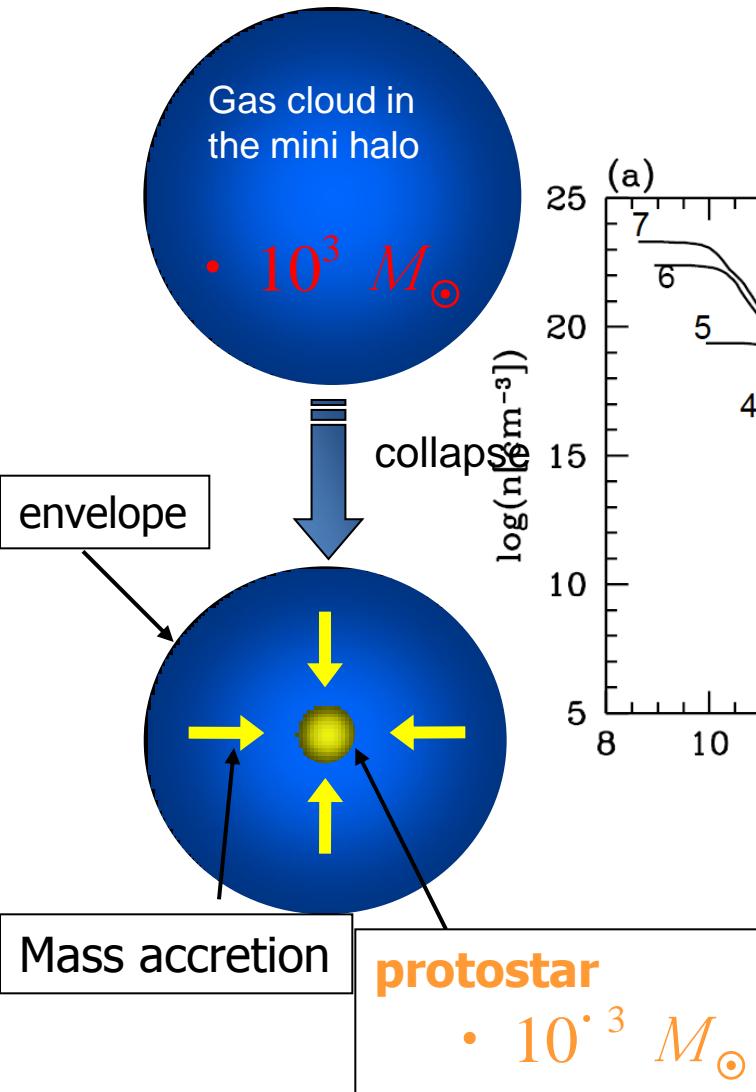
Gas Density field @ z=17



Mass of the gas cloud:

$$M_{\text{frag}} \approx 10^2 - 10^3 M_{\odot}$$

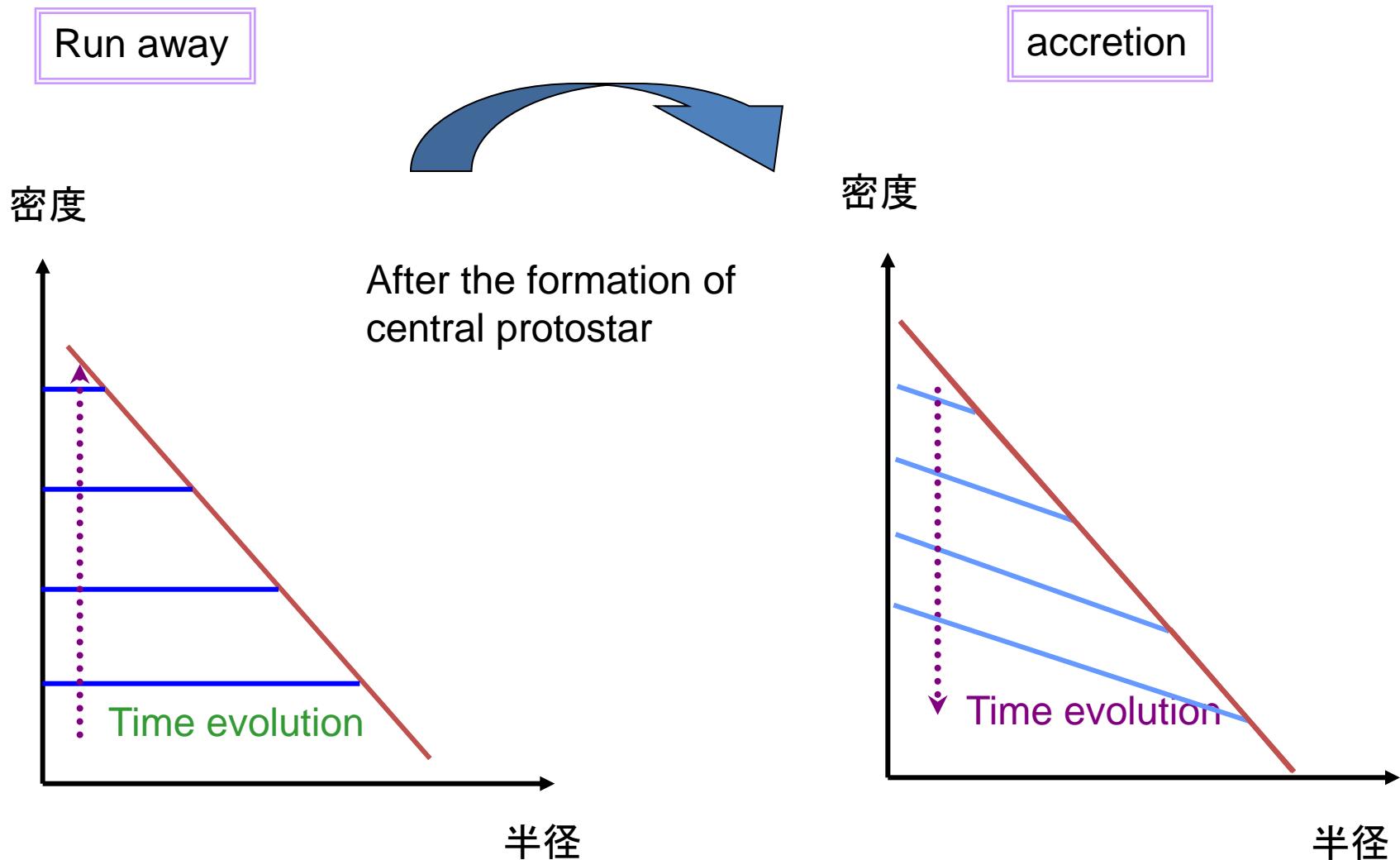
Collapse of self gravitating primordial gas



Omukai & Nishi (1998, ApJ, 508, 141)

最終的な星の質量は $1000 M_\odot$ のうちどれほどがprotostarに降着するかで決まる。

Run away phase → Accretion phase



Mass accretion rate

In the accretion phase, matters freely falls onto the protostar.

$$\frac{dM}{dt} \approx 4\pi R_J^2 \rho V_{ff} \approx 4\pi R_J^2 \rho 3c_s = 4\pi \frac{c_s^2}{4} \left(\sqrt{\frac{\pi}{G\rho}} \right)^2 \rho \cdot 3c_s \approx 30 \frac{c_s^3}{G}$$

Mass accretion rate determined purely by the temperature of envelope.

Thermal evolution of the Core

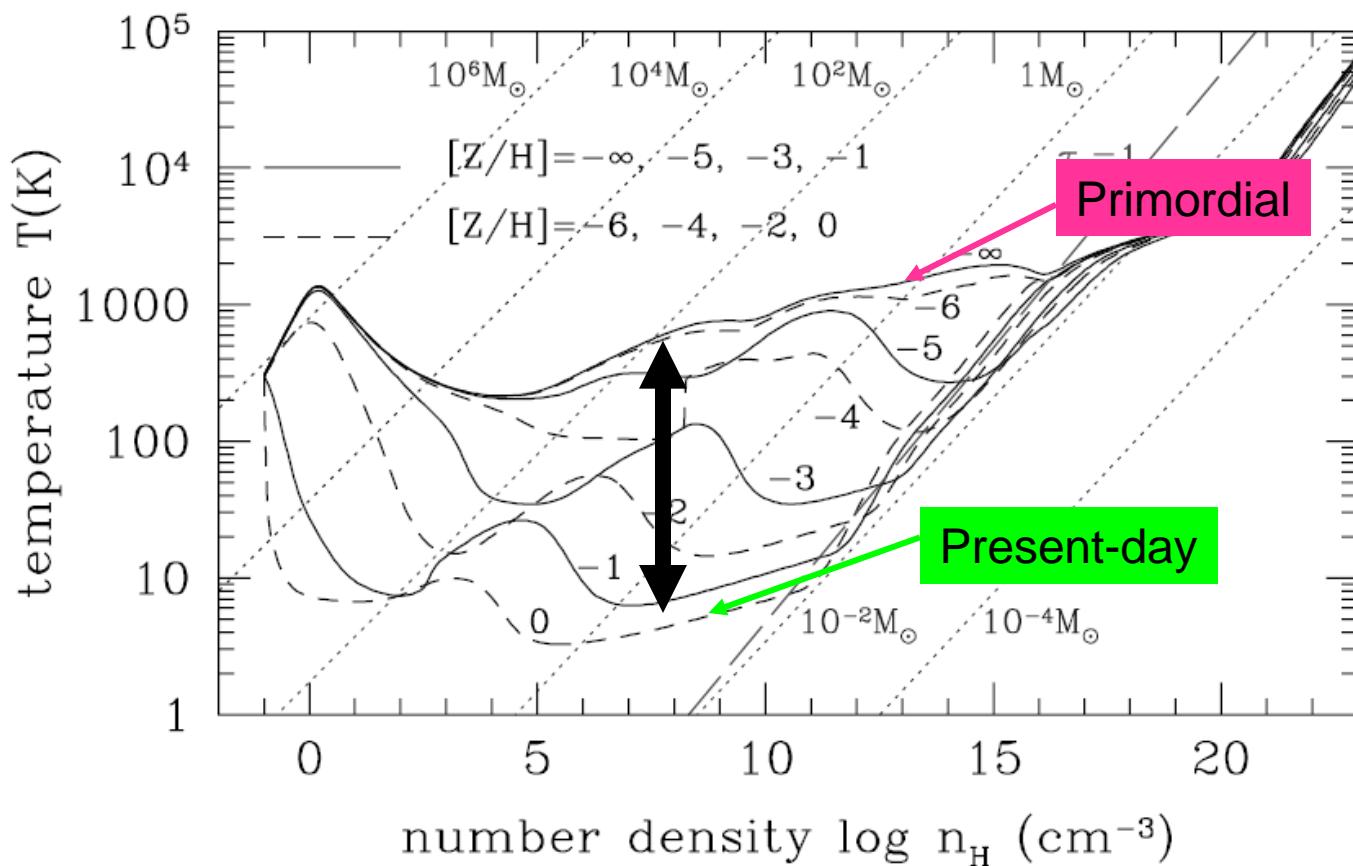


Fig. 1.—Temperature evolution of prestellar cores are shown by solid (dashed) lines. Only the $[Z/H] = 0$ cases are shown. The positions at which the central parameter intersection of the thin solid line with each evolution line, the clouds are optically thick and there

Gas temperature of primordial gas is 100 times higher than local molecular gas clouds

$[Z/H] = 0, -5, -3$, and -1 ($-6, -4, -2$, and 0) cases. Constant Jeans mass are indicated by thin dotted lines, indicated by the thin solid line (eq. [20]). The lines are very thick to the continuum. To the right of this panel is a color version of this figure.]

Final mass

$$\dot{M} \sim 30 \frac{c_s^3}{G} \longrightarrow \begin{array}{l} 1000\text{K, for primordial gas,} \\ \text{Very high mass accretion rate} \\ (\text{c.f. } 10\text{K for interstellar gas}) \end{array}$$

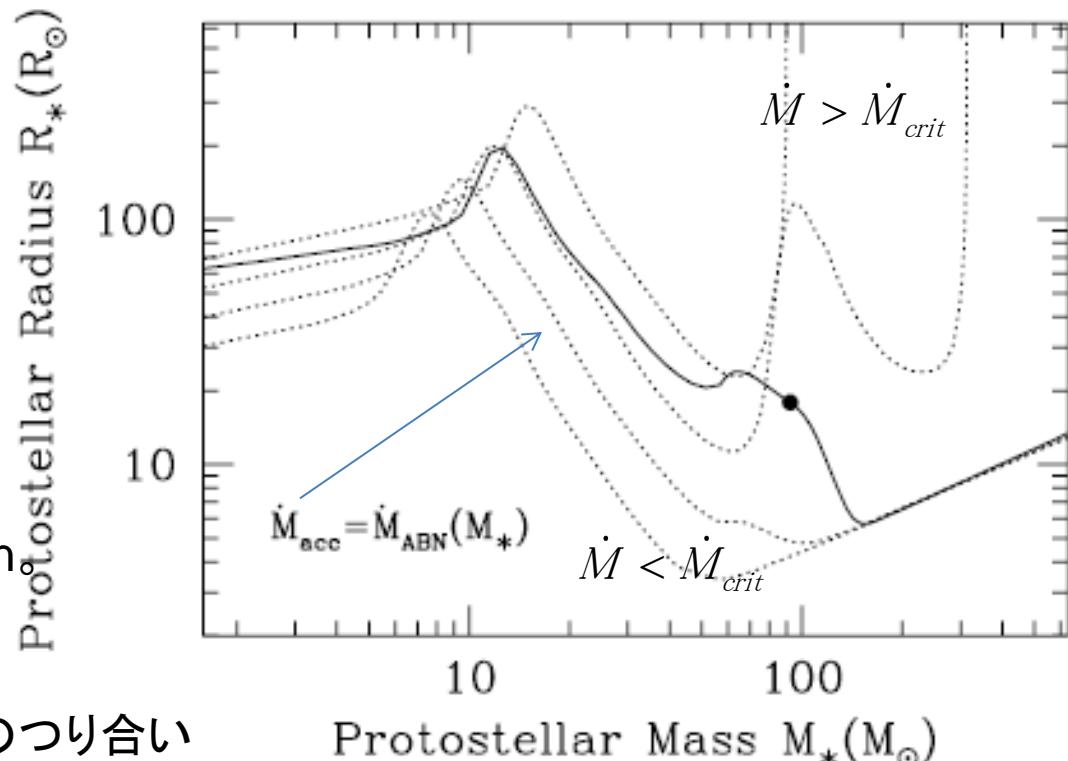
$$\dot{M} \approx 10^{-2} M_{\text{sun}} \text{yr}^{-1} \longrightarrow \dot{M} \times 10^5 \text{yr} \approx 10^3 M_{\text{sun}}$$

If the accretion is spherical and is not quenched, POPIII stars are Very Massive.

輻射は(球対称で)降着を止めるか?

$$\dot{M}_{crit} = 4 \times 10^{-3} M_{\odot} yr^{-1}$$

1. 質量降着率が臨界値を超えると、エディントン限界に達して降着できなくなる。
2. 宇宙論的な初期条件の計算から降着率を持ってくると、収縮できる。星の寿命の間、降着できて $600 M_{\odot}$ 。



※エディントン限界:重力と放射圧のつり合い

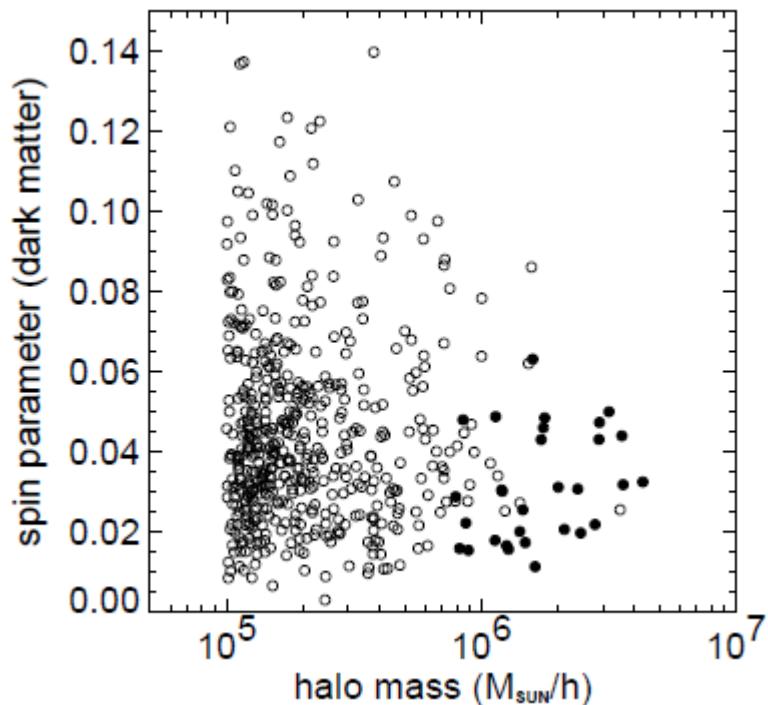
$$\frac{GM\rho}{R^2} = \frac{L}{4\pi R^2 c} \kappa \rho \Rightarrow L_{Edd} = \frac{4\pi G M c}{\kappa}$$

Omukai & Palla 2003

状況によるがあまり降着は止まりそうにない。

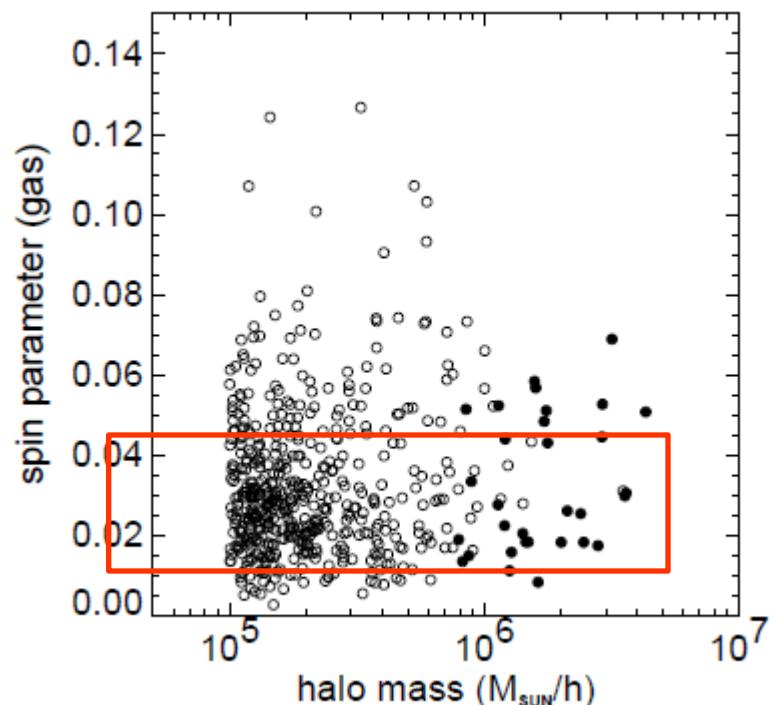
Angular momentum of minihalos

$$\lambda = \frac{j}{\sqrt{2}R_{\text{vir}} V_{\text{vir}}}$$



DM

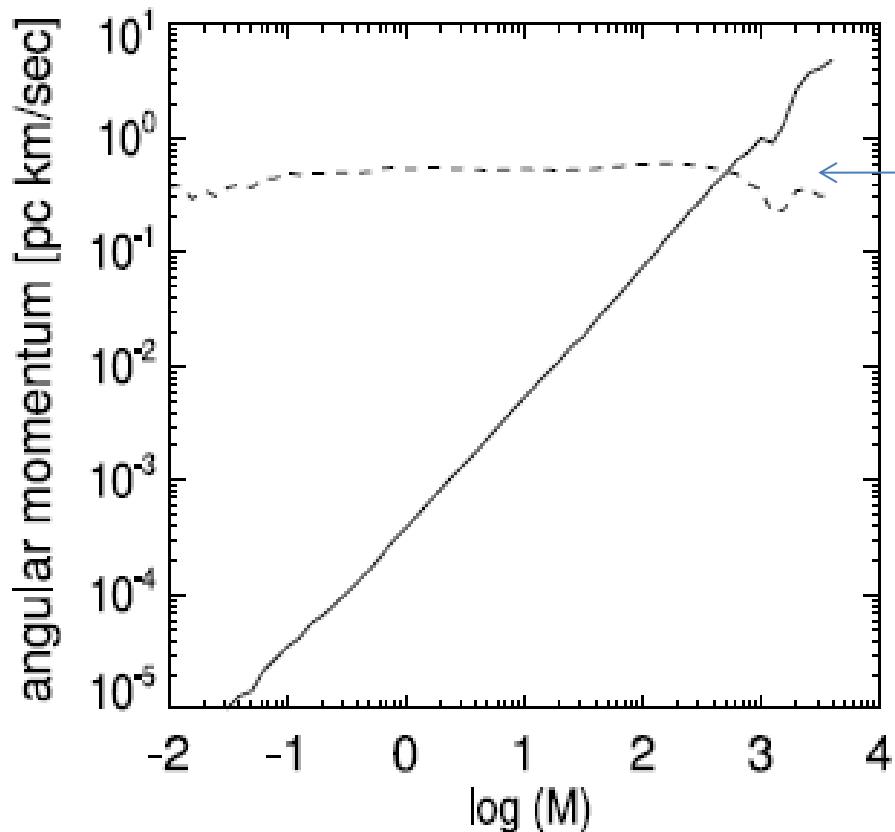
Yoshida et al. 2003



GAS

Specific AM distribution in the core

Yoshida et al. 2006



$$\frac{j}{rV_{Kep}} \approx 0.4 - 0.5$$

Gas cloud is not supported by rotation,
But will be supported in the accretion phase.

Radius of the accretion disk

Definition of j of Kepler rot.

Balance between the gravity and the centrifugal force with given j

Specific ang.mom. of Run-away collapsing core

$$\frac{j_{Kep}^2}{r_c^3} = \frac{GM}{r_c^2}$$

$$\frac{j^2}{r_d^3} = \frac{GM}{r_d^2}$$

$$j = f j_{Kep}$$

$$r_d = f^2 r_c$$

$$f=0.5$$

→ disk radius is 25% of core radius

Formation of rotationally supported disk is inevitable.

Numerical Studies of Accretion Phase

~1000AU・“star cluster”(t>1000yrs)

- Stacy+2009 cosmological • $n_{\max}=1e12$ • $r_{\text{acc}}=50\text{AU}$
- Clark+2010 turbulent • $n_{\max}=1e13$ • $r_{\text{acc}}=20\text{AU}$
- Smith+2011 cosmological • $n_{\max}=1e15$ • $r_{\text{acc}}=20\text{AU}$
- Hosokawa+2011 cosmological (2D) • Mesh • $r_{\text{acc}}=10\text{AU}$ + UV
- Hosokawa+2012 cosmological.POP3.2 (2D) • Mesh • $r_{\text{acc}}=10\text{AU}$ + UV
- Stacy+2012 cosmological • $n_{\max}=1e12$ • $r_{\text{acc}}=50\text{AU}$ + UV
- Stacy+2013 cosmological • $n_{\max}=1e13$ • $r_{\text{acc}}=20\text{AU}$ 10 halos
- Susa 2013 BE sphere • $n_{\max}=3e13$ • $r_{\text{acc}}=30\text{AU}$ + UV
- Hirano+2014 cosmological (2D) • Mesh • $r_{\text{acc}}=10\text{AU}$ + UV 100 halos ← 平野さん講演
- Susa+2014 cosmological • $n_{\max}=3e13$ • $r_{\text{acc}}=30\text{AU}$ + UV 60 halos ← This talk
- Hosokawa+2014? Cosmological(3D) + UV ← 細川さん講演

~100AU・“inner disk fragmentation”(t < 1000yrs)

- Clark+2011 cosmological • $n_{\max}=1e17$ • $r_{\text{acc}}=1.5\text{AU}$
- Greif+2011 cosmological • $n_{\max} \sim 1e17$ (_{Arepo}) • $r_{\text{acc}}=0.46\text{AU} (=100R_{\odot})$
- Machida+2013 BE sphere • change EOS $n_{\max} \sim 1e18-1e20$ + MHD ← 町田さん講演

~10AU・“resolve protostellar radius ”(t ~ 10yrs)

- Greif+2012 cosmological • Arepo • No sinks • $r_{\text{acc}}=0.05R_{\odot}$

Smith+2011

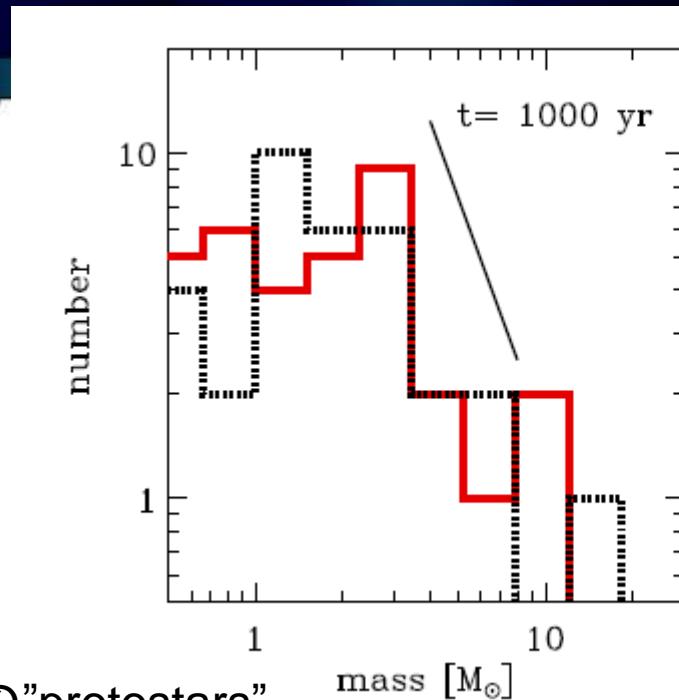
$t=300$ yr

Halo 4

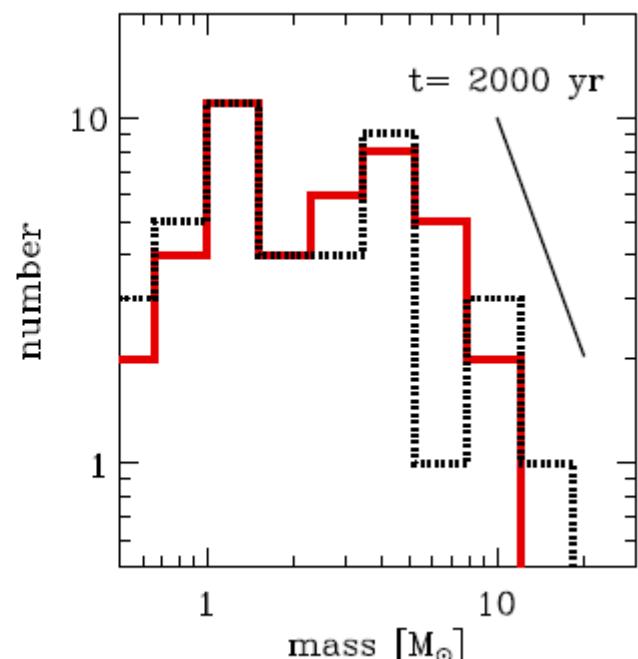
1300 AU

$t=1350$ yr

$t= 3100$ yr



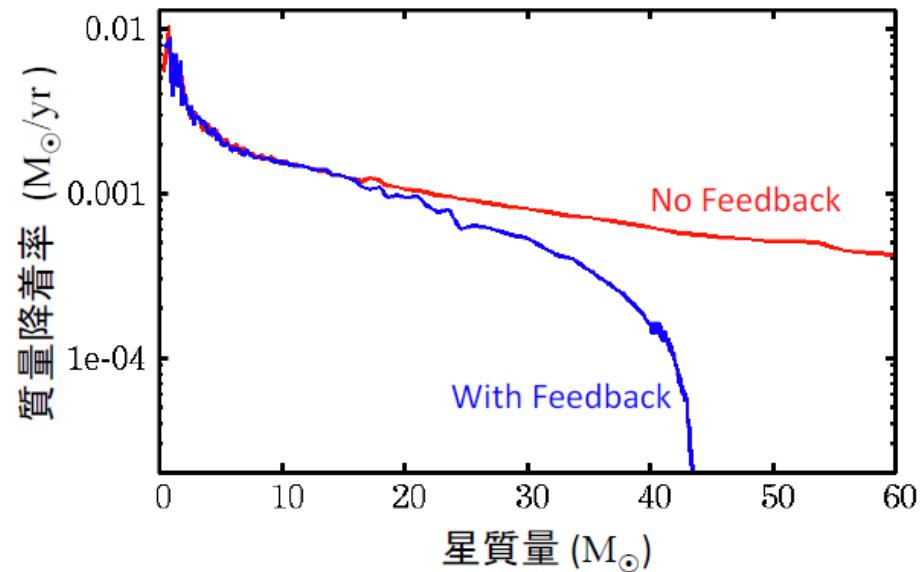
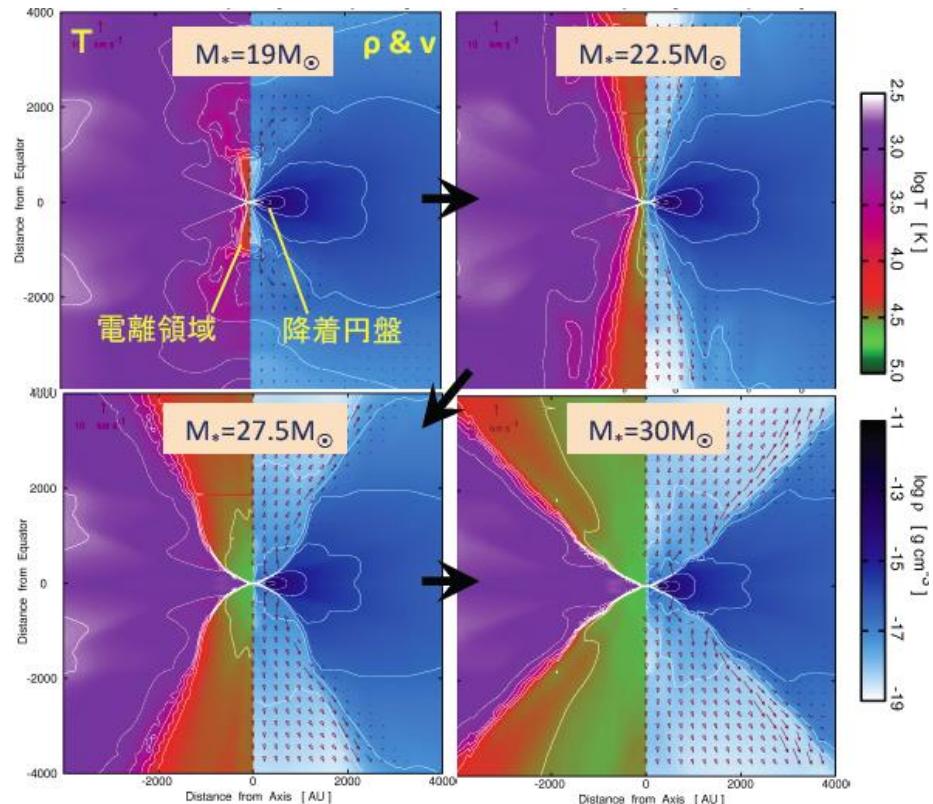
O(10)個の"protostars"



Radiative feedback from the central star (2D)

Long term integration (10^5 yrs) with feedback → Final mass

Hosokawa+ (2011)

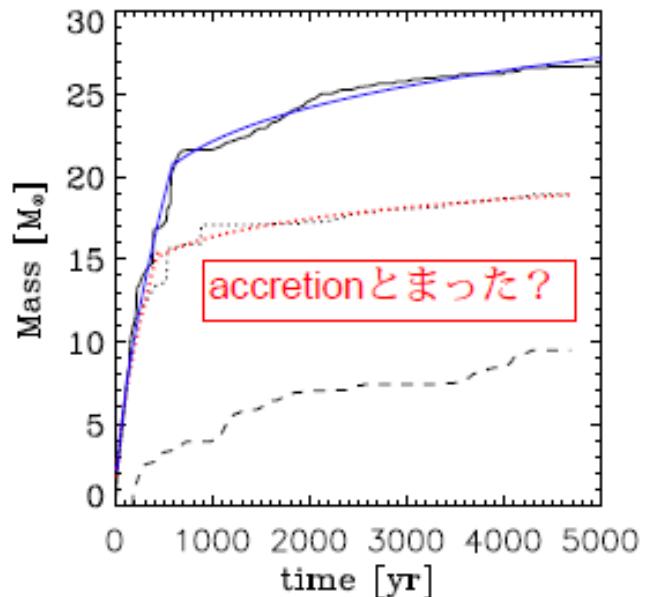
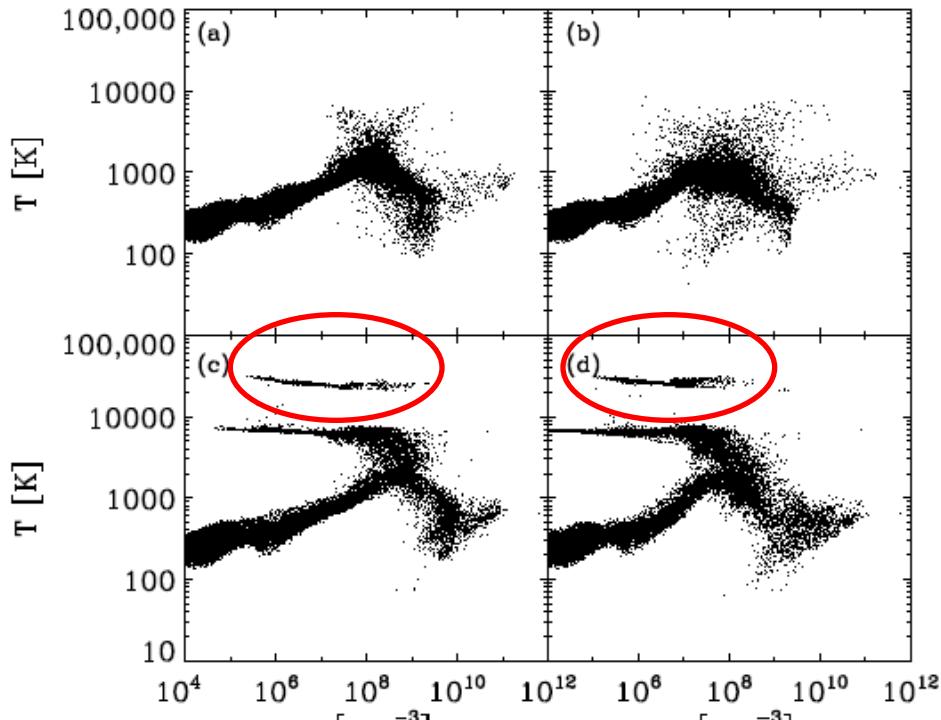


- UV光feedbackの為に大幅に降着率が低下する
- この場合、星質量 $\sim 45 M_\odot$ で星への降着が止まる。

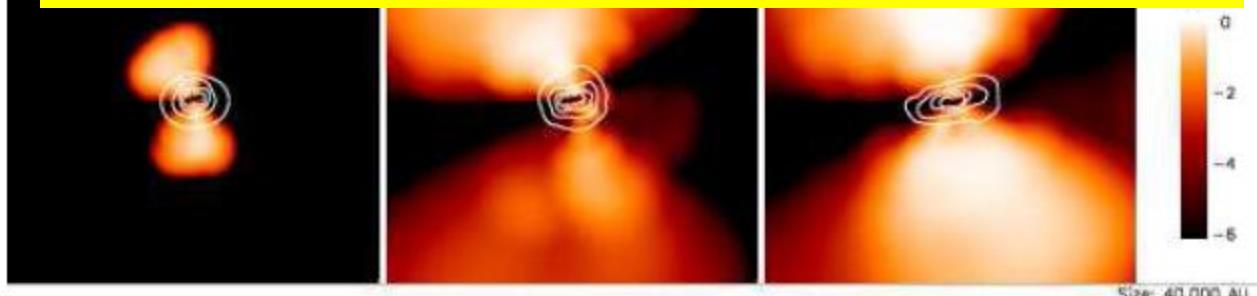
Photoevaporation of accretion disk

courtesy to Hosokawa san

Stacy+2012



Long term 3D RHD simulation is needed!

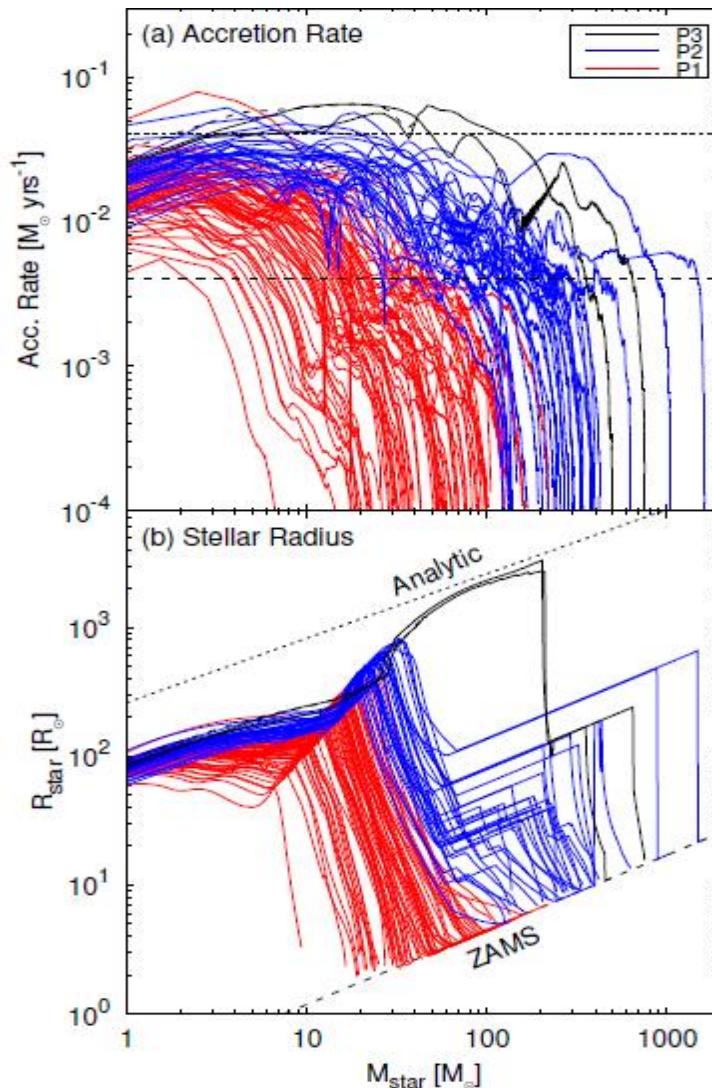
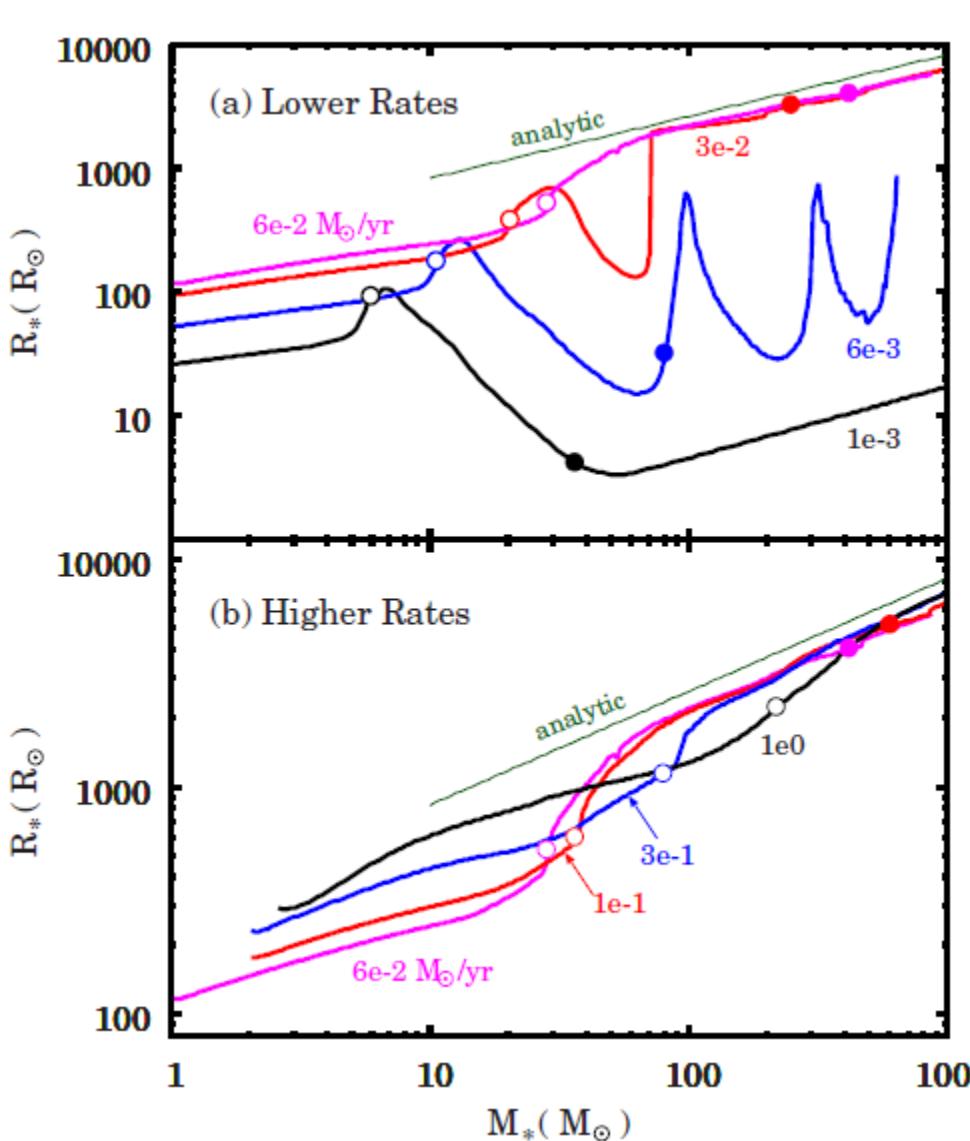


sedback on protostellar accretion. with no radiative feedback, ie ‘with-feedback’ case. The blue it to the sink growth rate for the dotted line is a double powerlaw fit. The red line shows the growth of the ‘with-feedback’ case. Radiative ion-induced starvation leads to a series in less than 1000 yr, and in the sink does not grow beyond \sim 25 M_{\odot} .

Figure 7. Projected ionization structure of gas at 1500, 2000, and 3000 yr after initial sink formation. White lines depict the density contours of the disk at densities of $10^{7.5}$, 10^8 , $10^{8.5}$, and 10^9 cm^{-3} . Box length is 40,000 AU. Note the pronounced hour-glass morphology of the developing ultra-compact H II region, roughly perpendicular to the disk. This structure gradually expands and dissipates the disk gas from above and below, reducing the scale height of the disk.

Very high mass accretion case

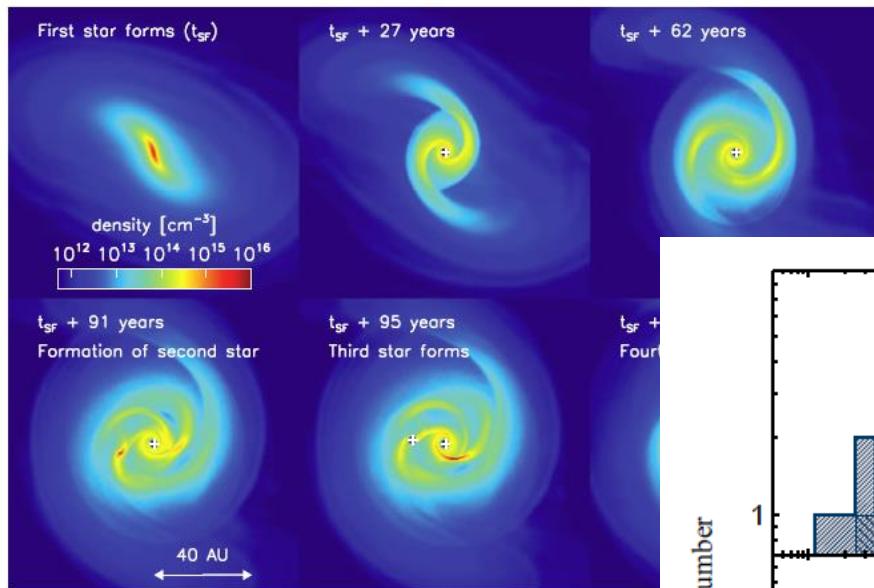
Hosokawa+2012,2013, Hirano+2014



For $dM/dt > \sim 1e-2$, KH contraction phase disappears. \rightarrow No UV feedback

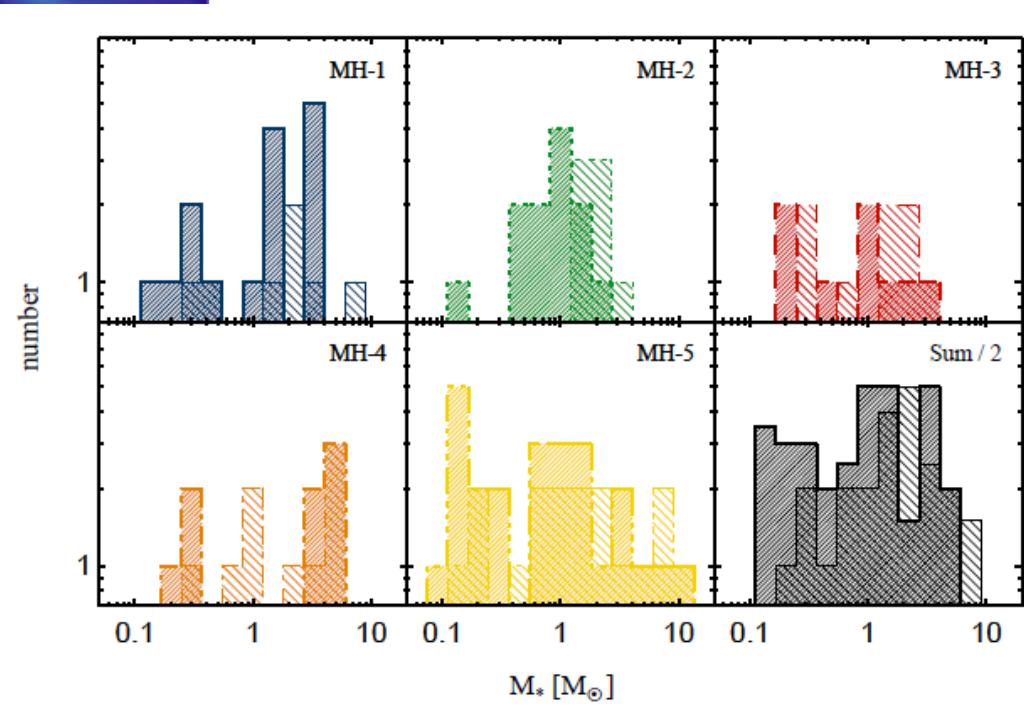
Fragmentation @ $r < 50\text{AU}$

Fig. 1. Density evolution in a 120-AU region around the first protostar, showing the buildup of the protostellar disk and its eventual fragmentation. We also see "wakes" in the low-density regions, produced by the previous passage of the spiral arms.



Clark+ 2011

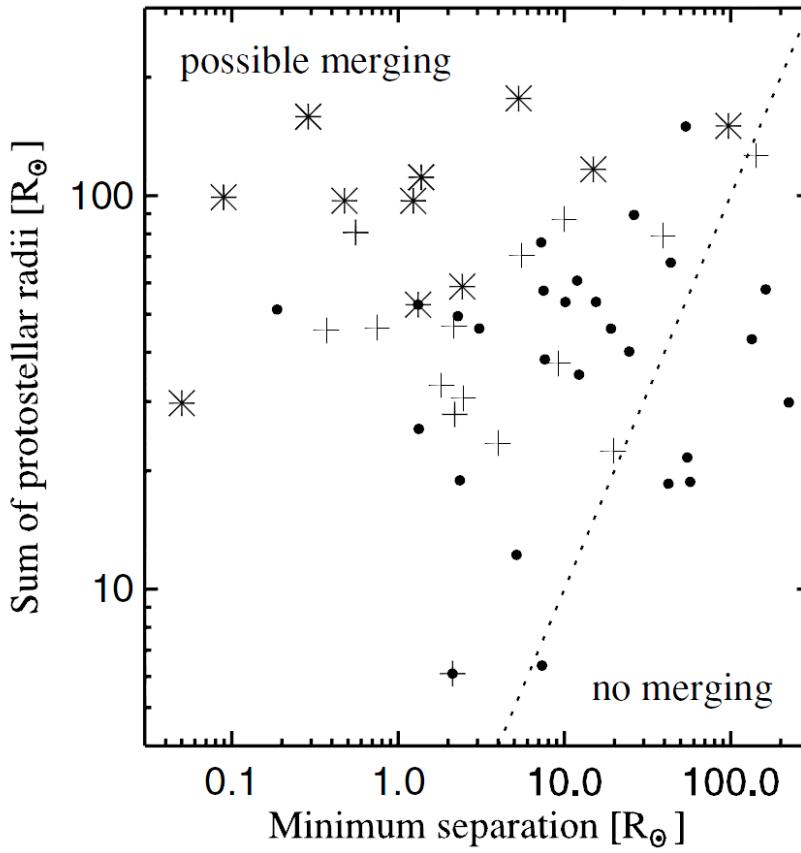
- ~ 10 protostars
- But integrated time is too short to predict the final mass



Greif+ 2011

小さいスケールを分解するとそこでも同様に分裂する。

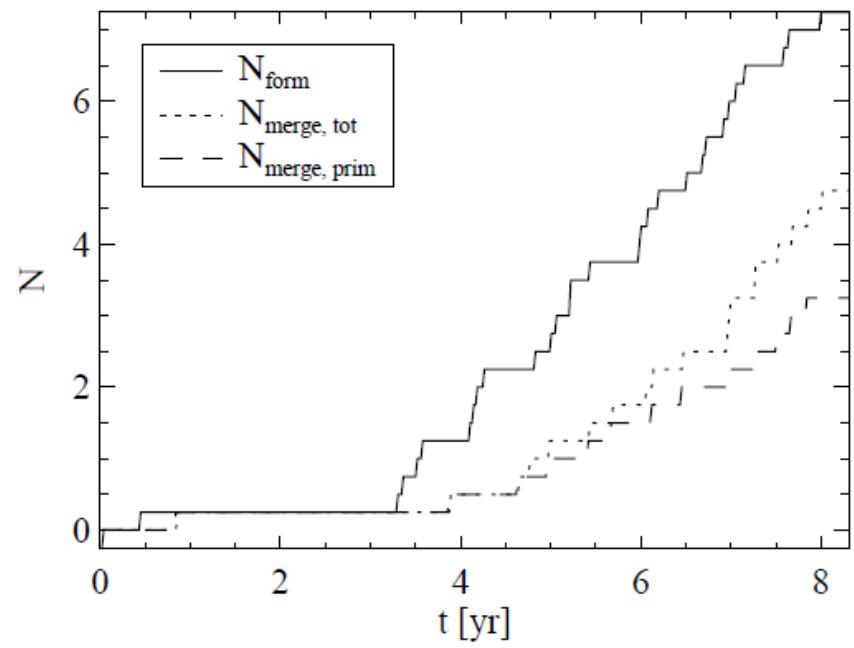
Merger of protostars



Greif+ 2011

星半径と最も近づいた時の関係

- * : $M > 3M_{\odot}$
- + : $1M_{\odot} < M < 3M_{\odot}$
- : $M < 1M_{\odot}$



Greif+ 2012

Sinkでない計算で、分裂片が合体した割合
合体しないのはおよそ1/3。
ただこの後分裂は続く。

3D(fragmentation)

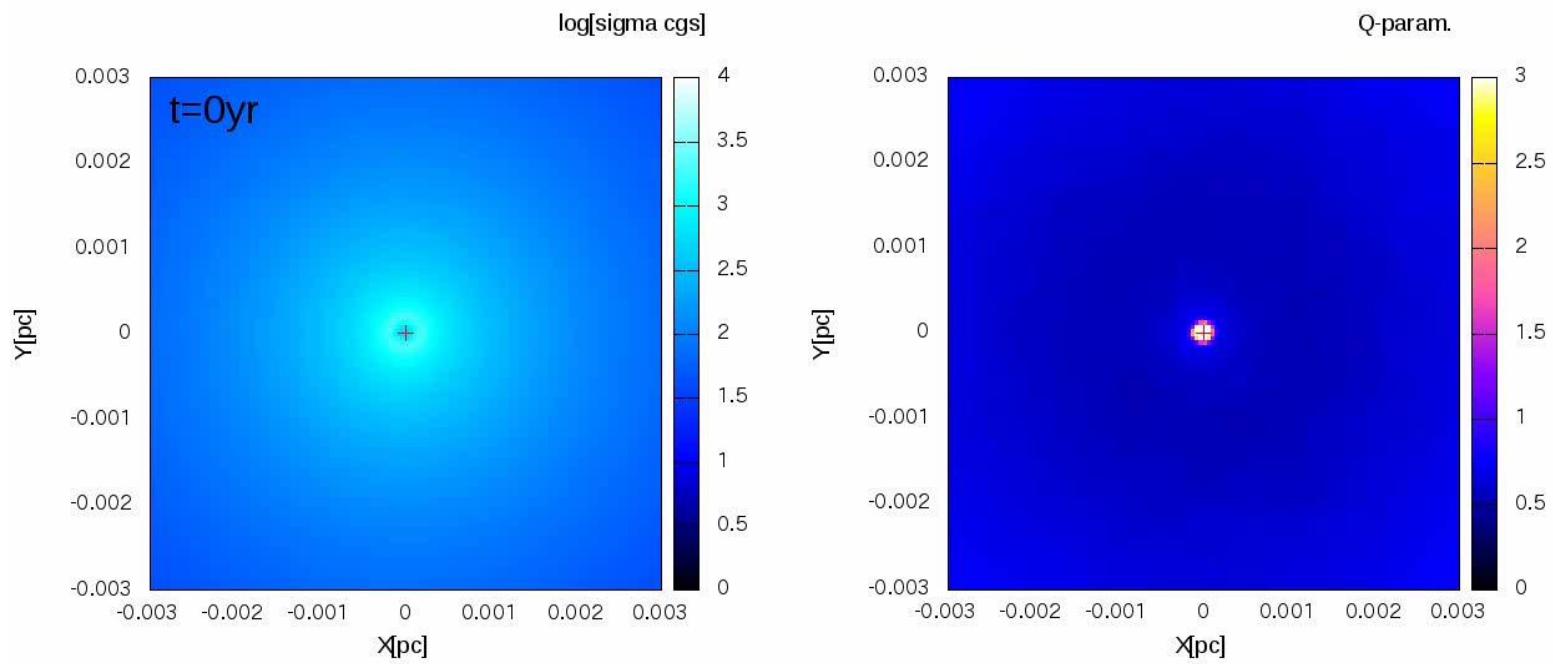
RHD

Long term

High resolution

are needed

Fragmentaion of the disk ($t < 2000\text{yr}$)



H₂

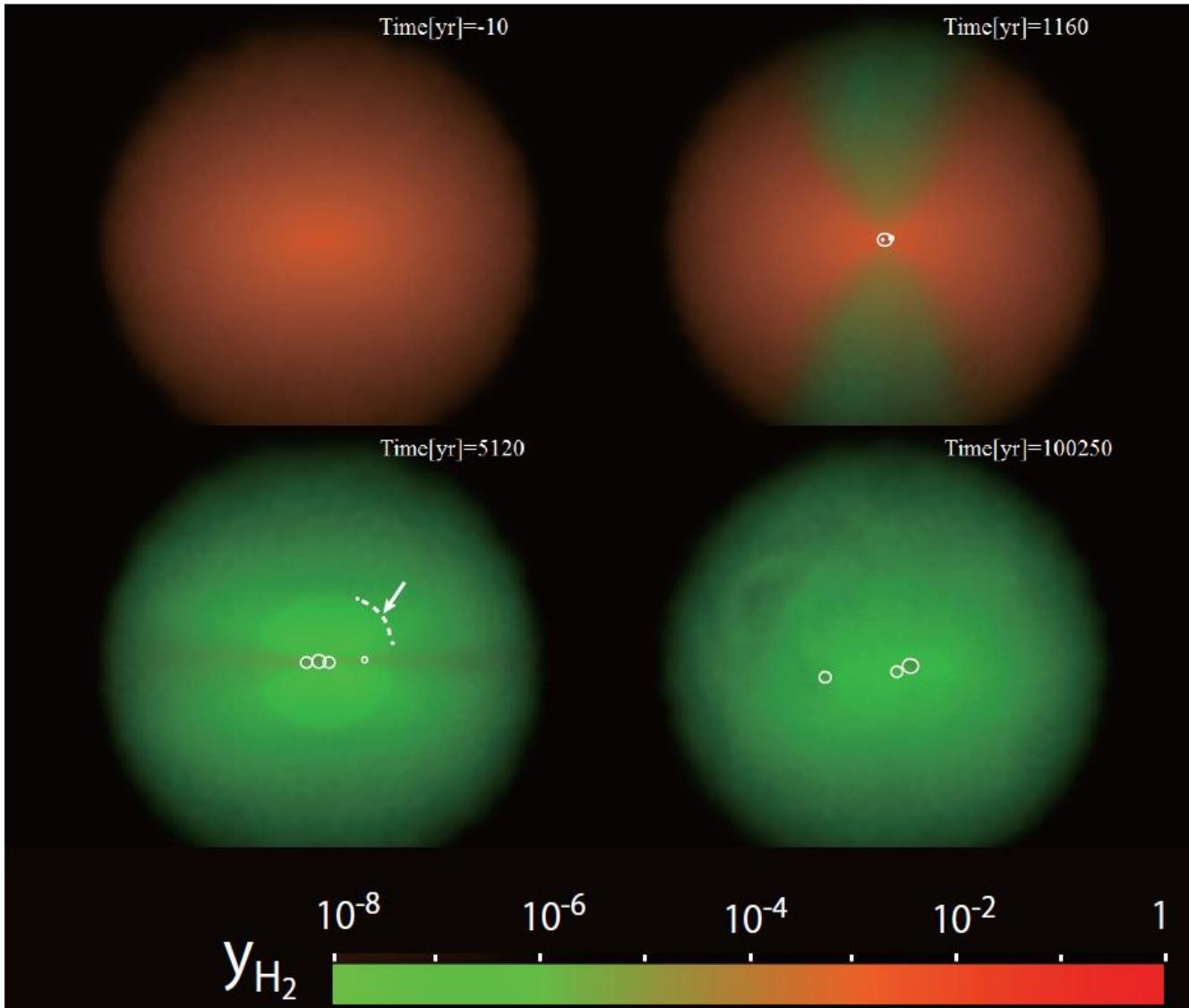
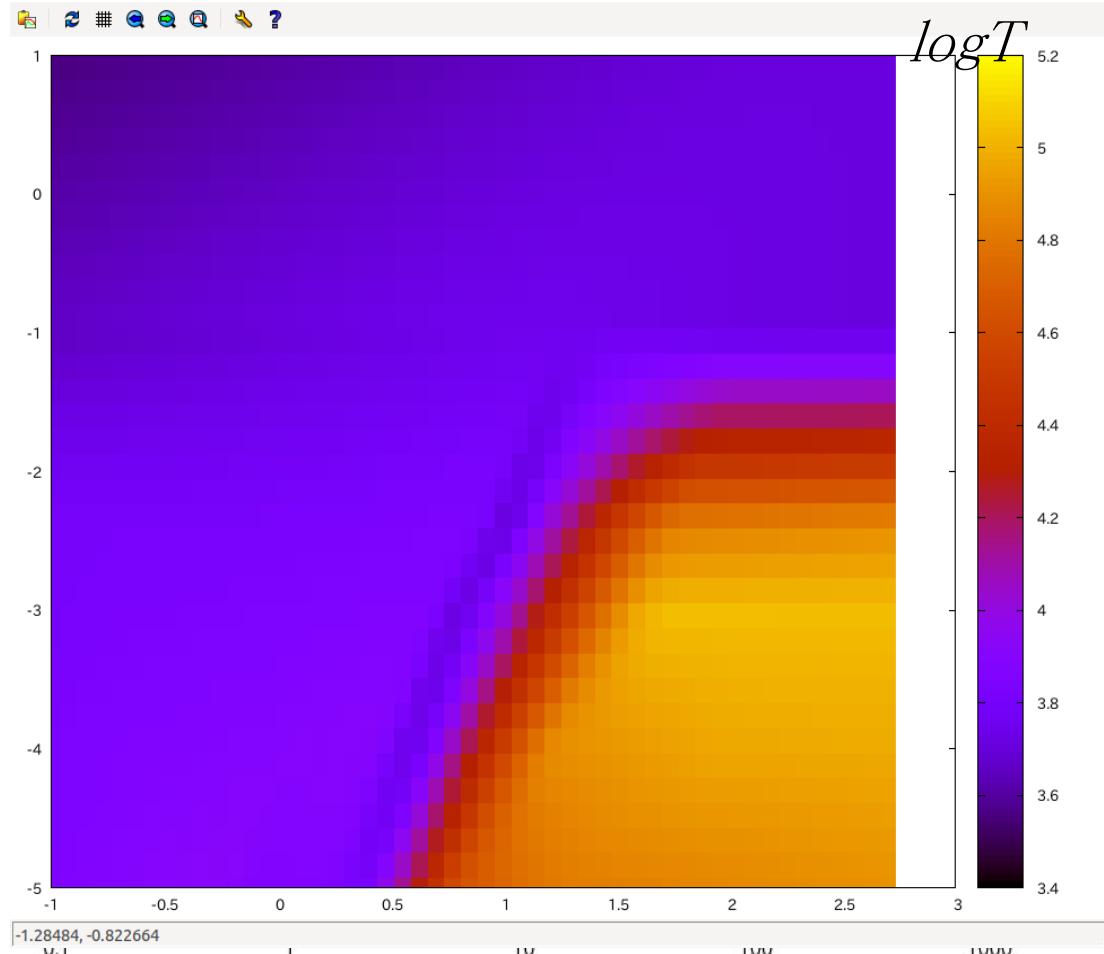


FIG. 2.— Edge-on views of gas distribution inside $r < 10^4$ AU (0.05 pc) at four snapshots. Top row: from left to right, $t = -10$ yr, 1160 yr. Bottom row: $t = 5120$ yr, 100250 yr. t represents the time after the first sink formation. Color shows the H_2 fraction, and the small spheres with white rim represent the positions of sink particles. White arrow and dashed curve in the bottom left panel denotes the position of the shock front.

Protostellar evolution model

$\log(\dot{M})$



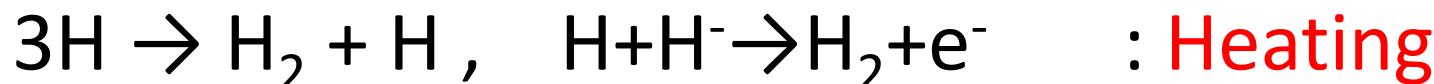
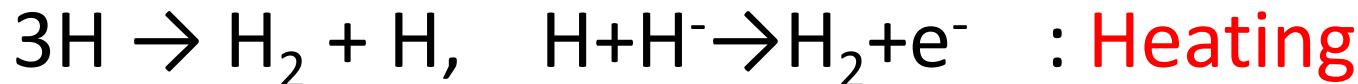
$\log(M / M_{\odot})$

- Hosokawa numerical models
 $dM/dt = 1e-5, 1e-4, 1e-3$
 - Hosokawa numerical model
 $dM/dt = 4e-3$ for $M < 60M_{\odot}$
 - Analytic formula from
Hosokawa & Omukai 2012
 $dM/dt > 1e-1$
- Interpolate

Heating by Photodissociation

- H_2 dissociation → no coolant

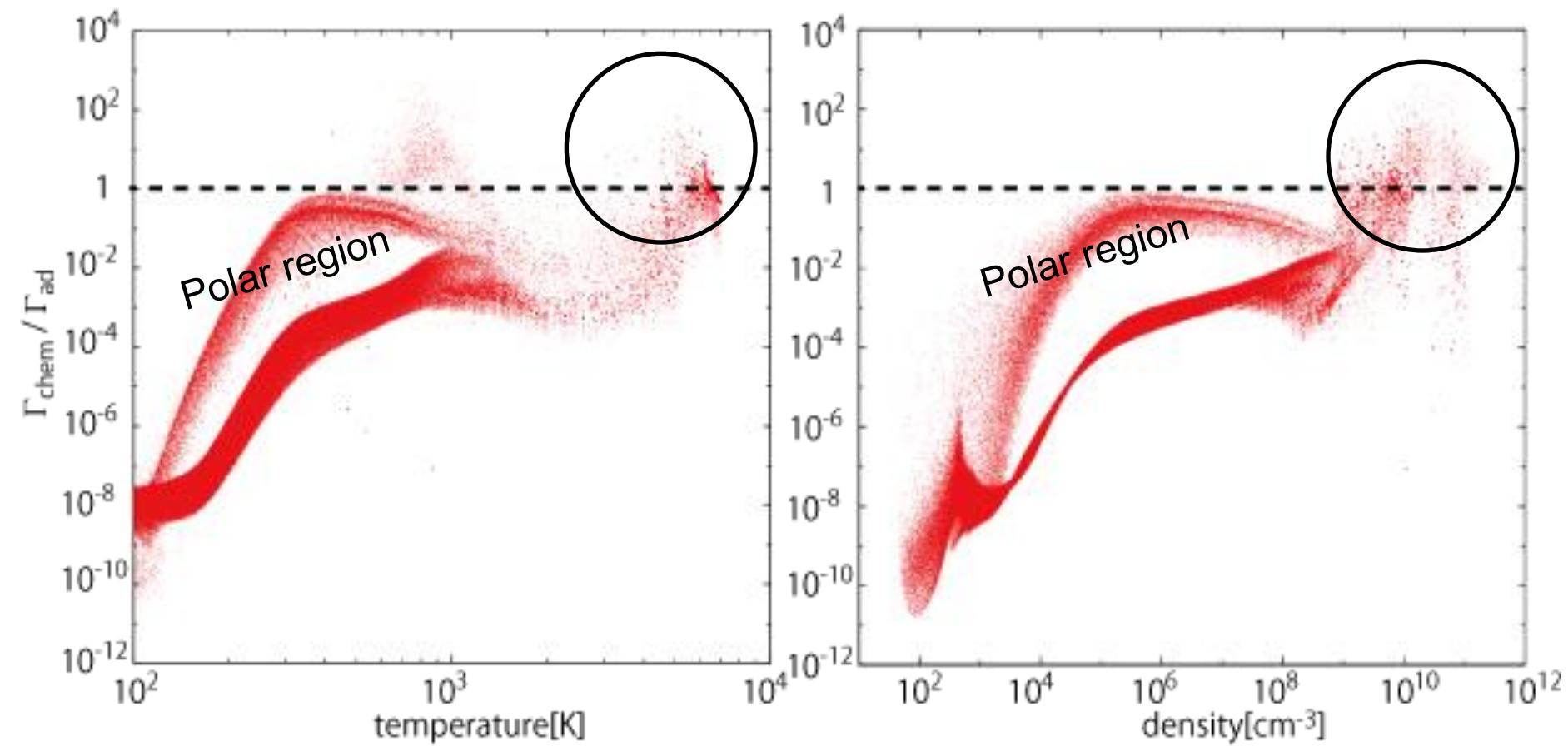
- Chemical Heating/cooling



2step heating

Chemical Heating Rate

$t=2030 \text{ yr}$



Photodissociation process is an important source of gas heating.

Evolution of sink mass

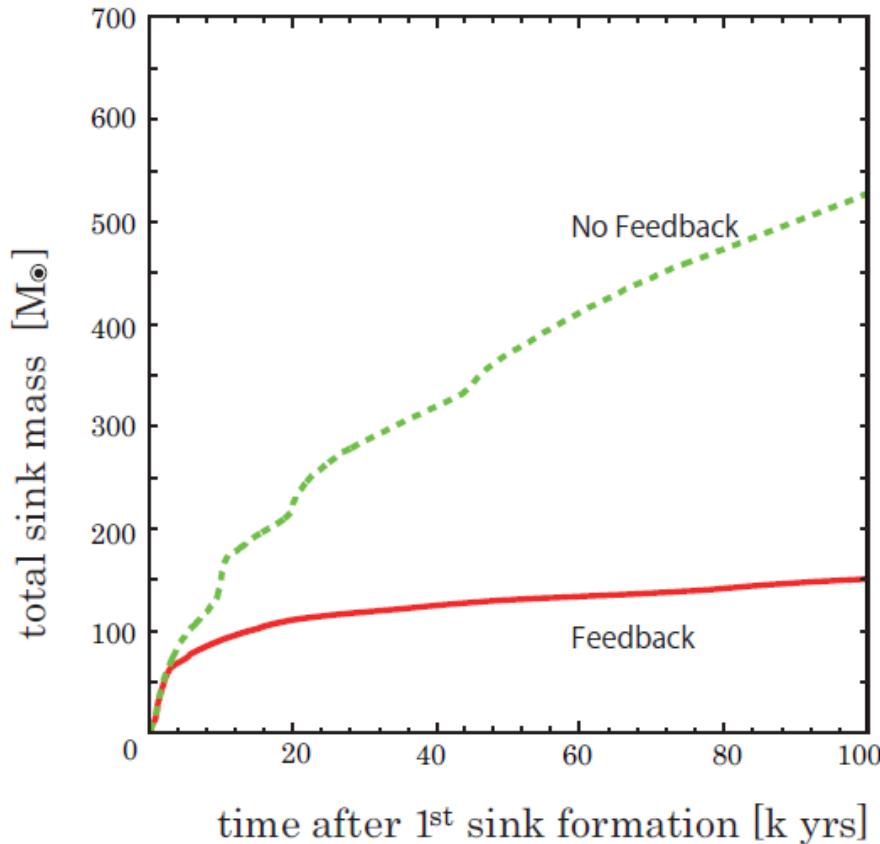


FIG. 4.— Evolution of the total mass incorporated in sink particles. The solid line corresponds to the case with feedback, while the dashed line represents the case without feedback.

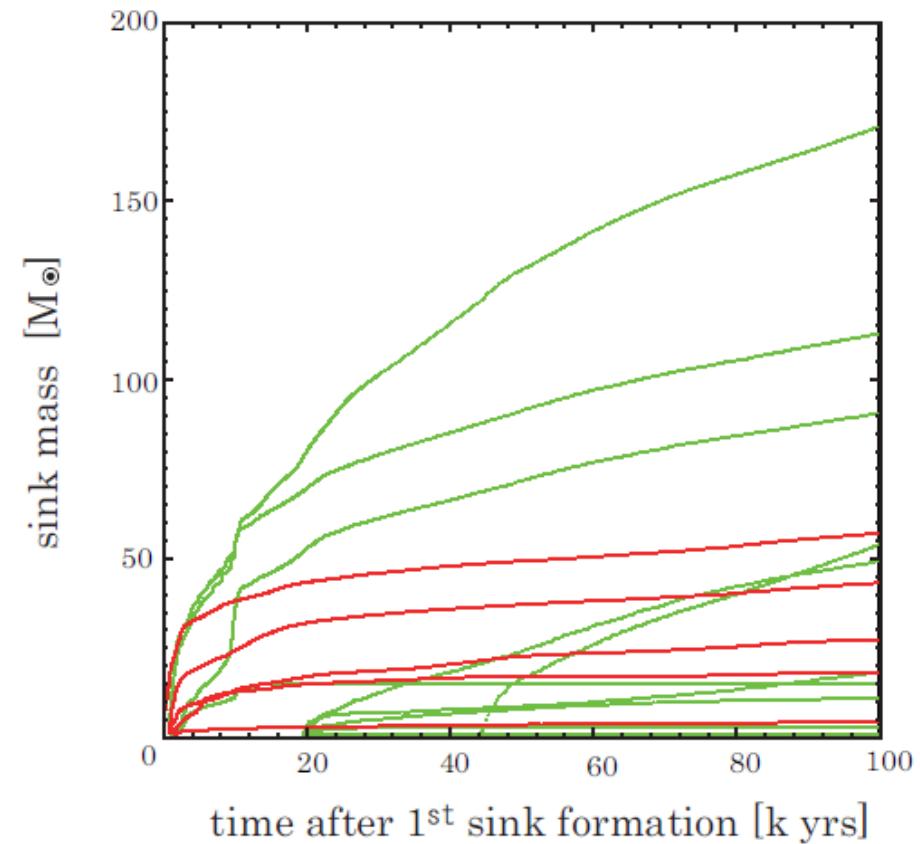


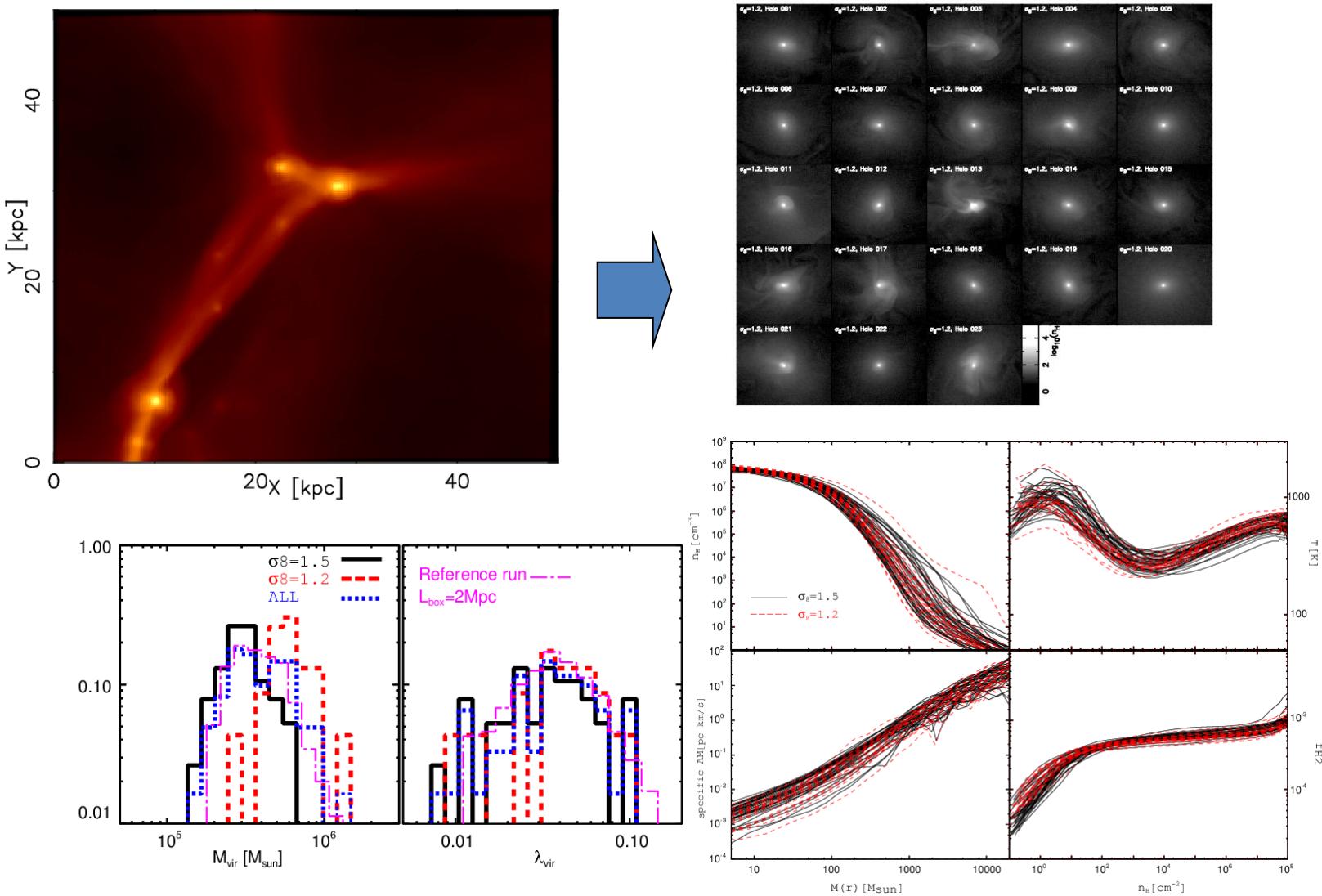
FIG. 5.— The mass of individual sink particles are plotted as functions of time after the first sink formation. Red curves for the runs with feedback, while the green curves for the case without feedback.

But this is the result of a realization of simplified initial condition,
we need more statistical argument by the cosmological simulations

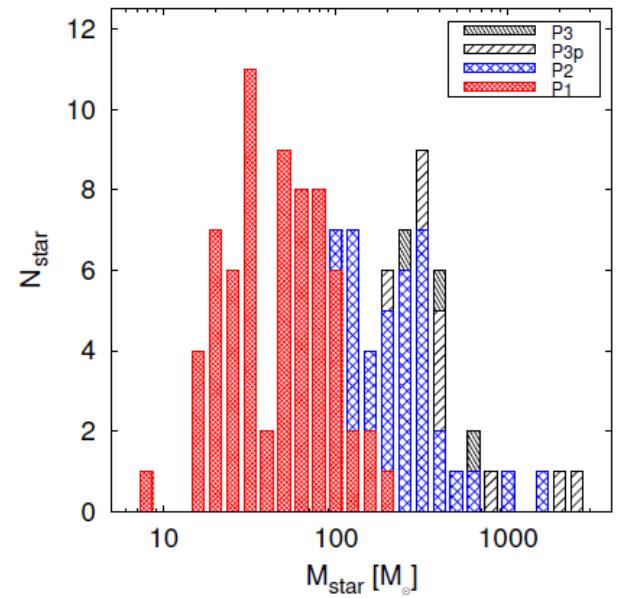
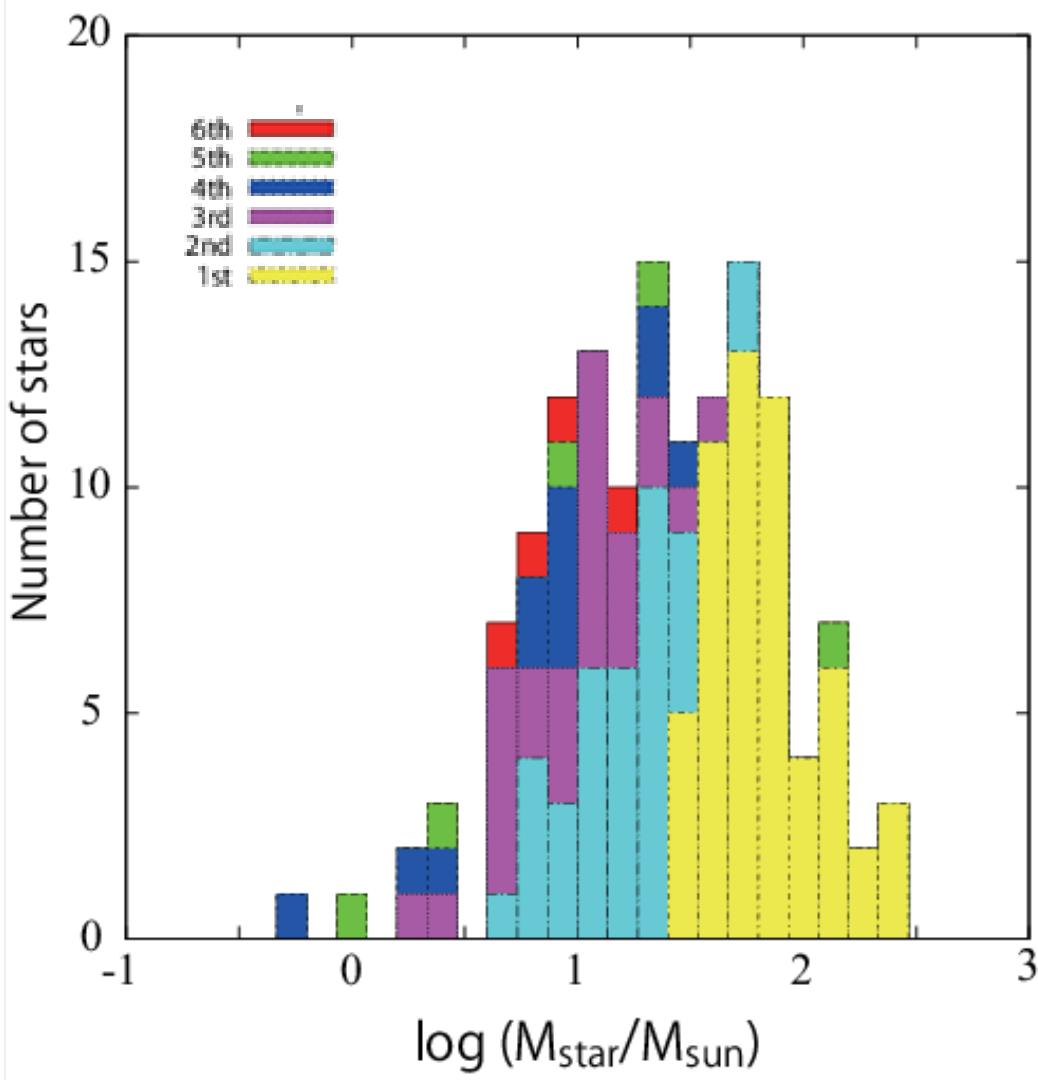
Cosmological Simulations

- Cosmological Run by Kenji Hasegawa on K.
- 100kpc box \sim 48 runs
- Sigma boosted (19runs: $\sigma=1.2$, 29runs: $\sigma=1.5$).
- 60 halos
- Trace up to $n=1e8$ cm $^{-3}$
- Switch to local RHD simulation
- Particle splitting at the beginning of local simulation ($1 \rightarrow 10$).
-

Pick up minihalos



Sink Mass distribution

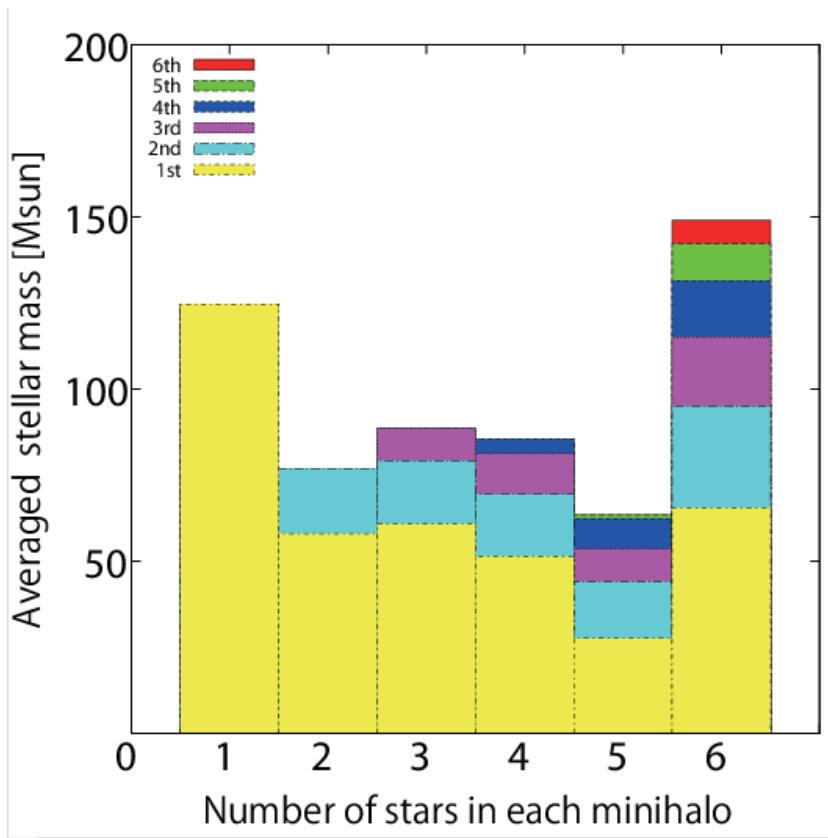


C.f. Hirano+2014

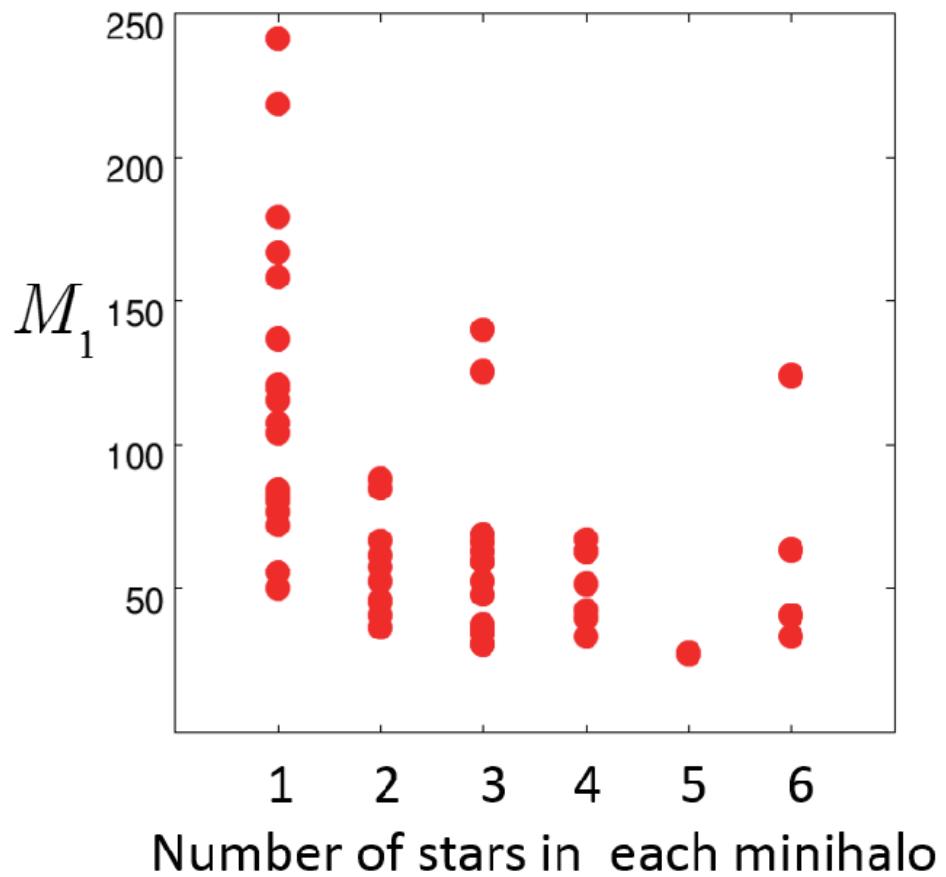


平野さん講演

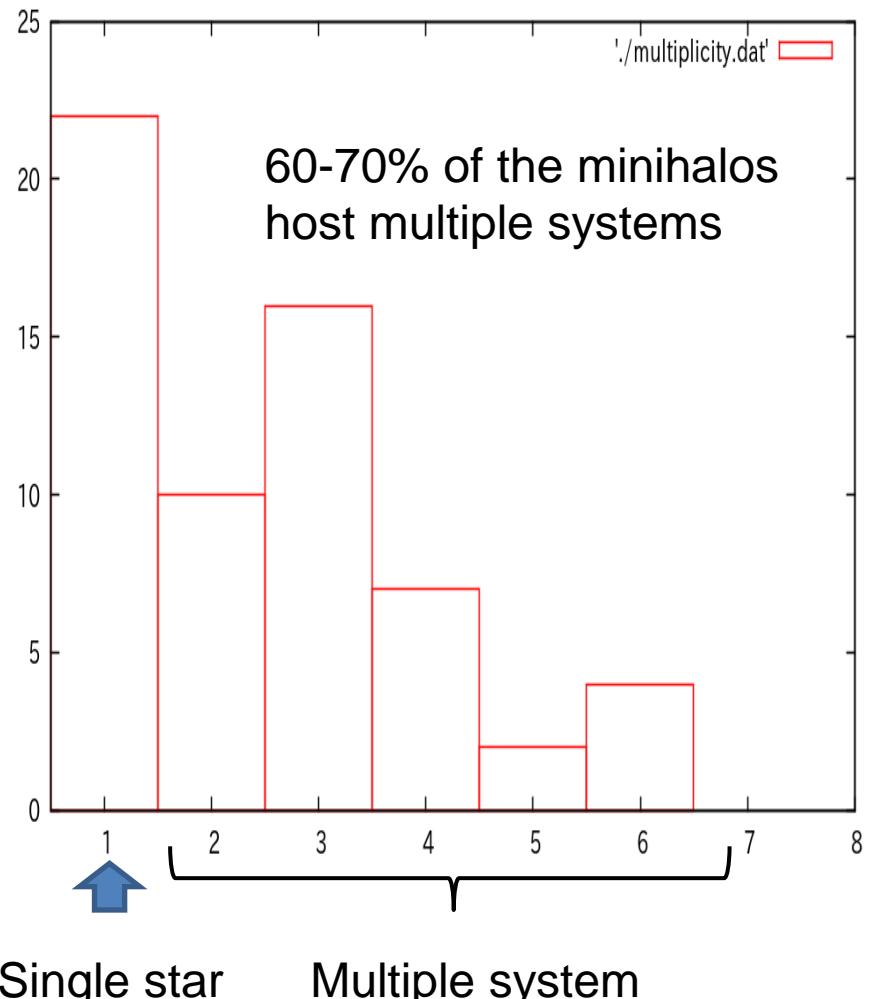
Mass budget in minihalos



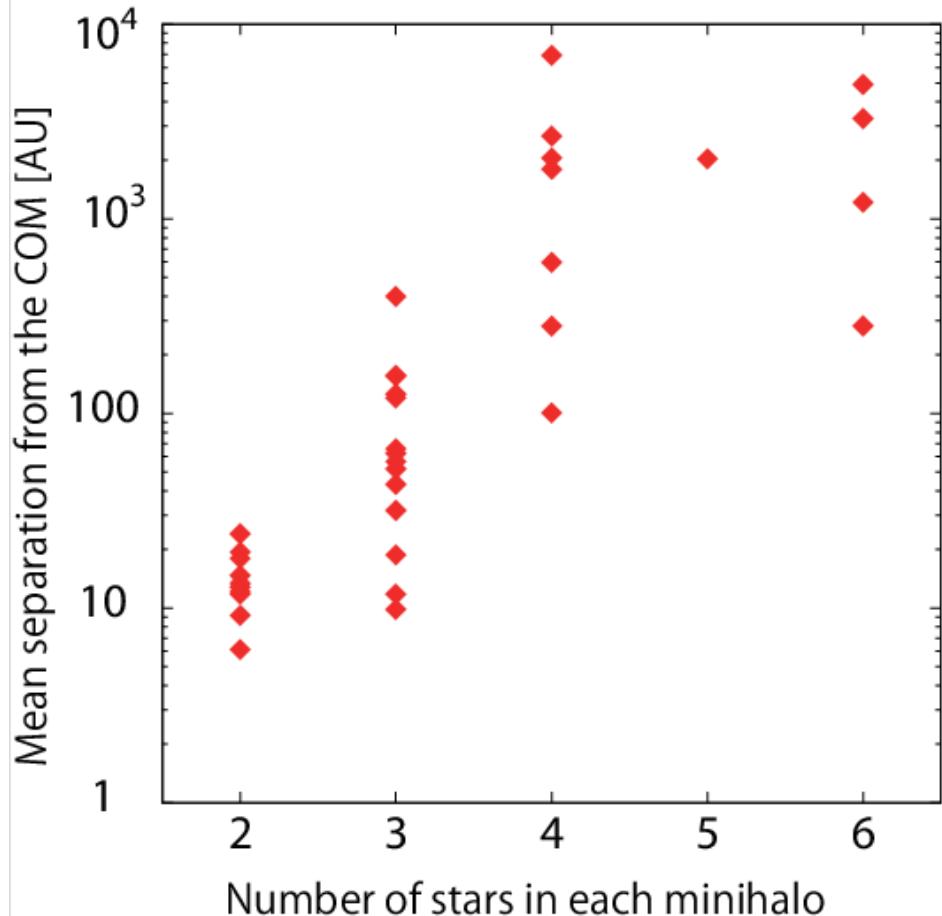
Mass of the primary stars in minihalos



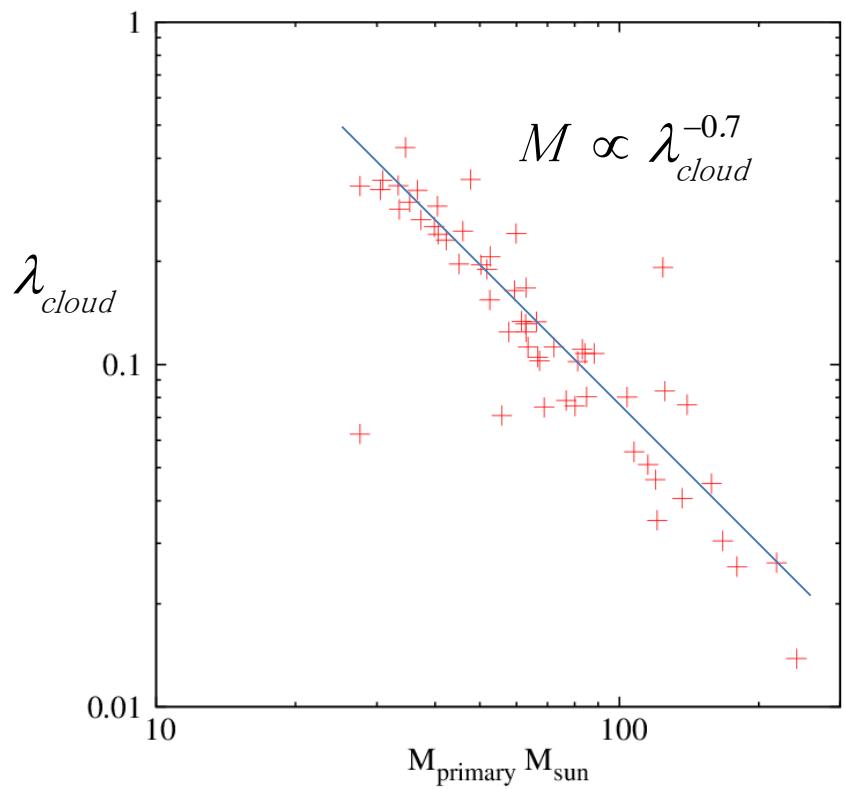
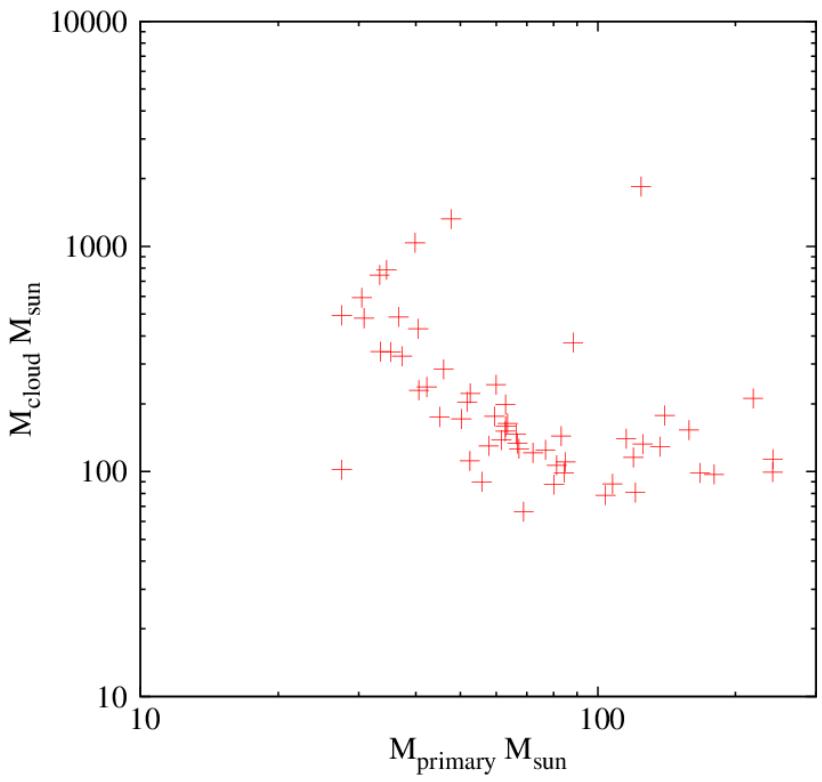
Frequency distribution of number of sinks in minihalos



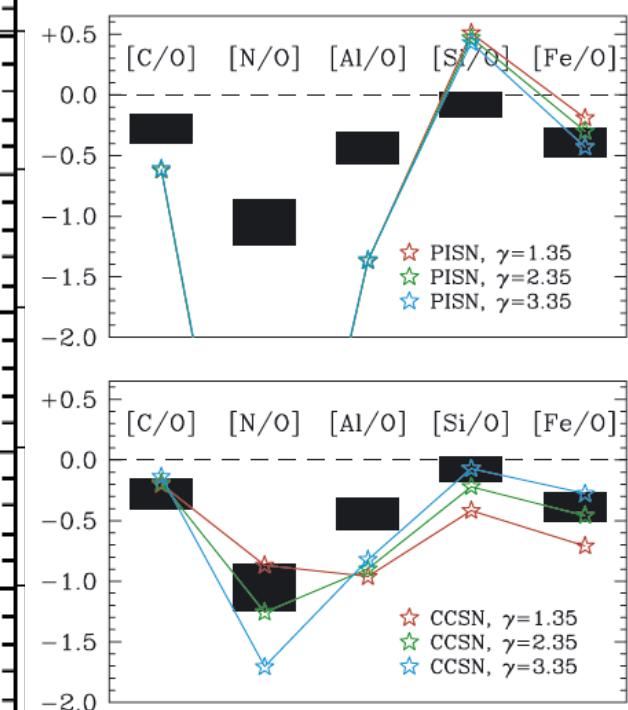
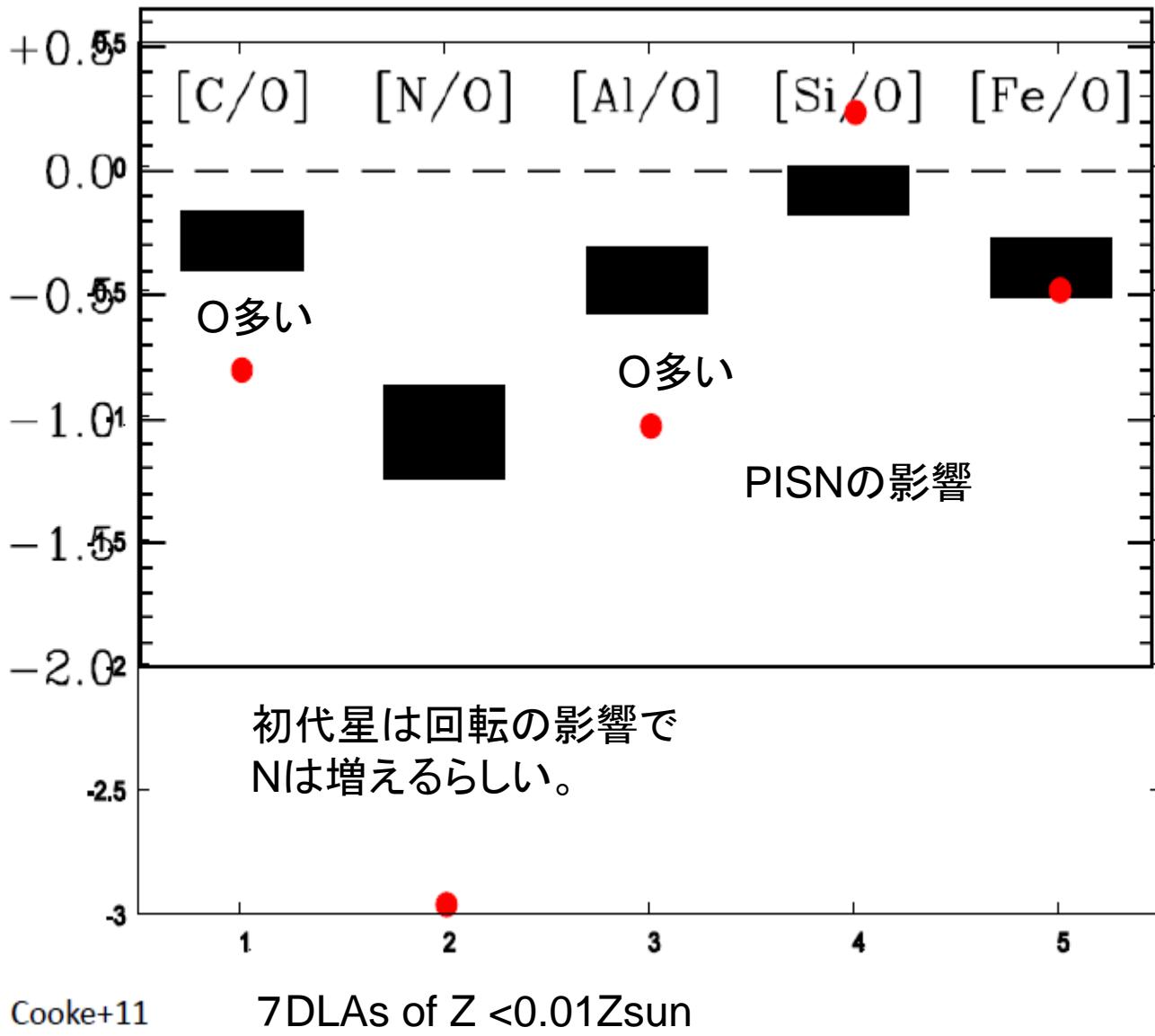
Mean Separation from COM



Mass of Primary Star v.s. cloud props.



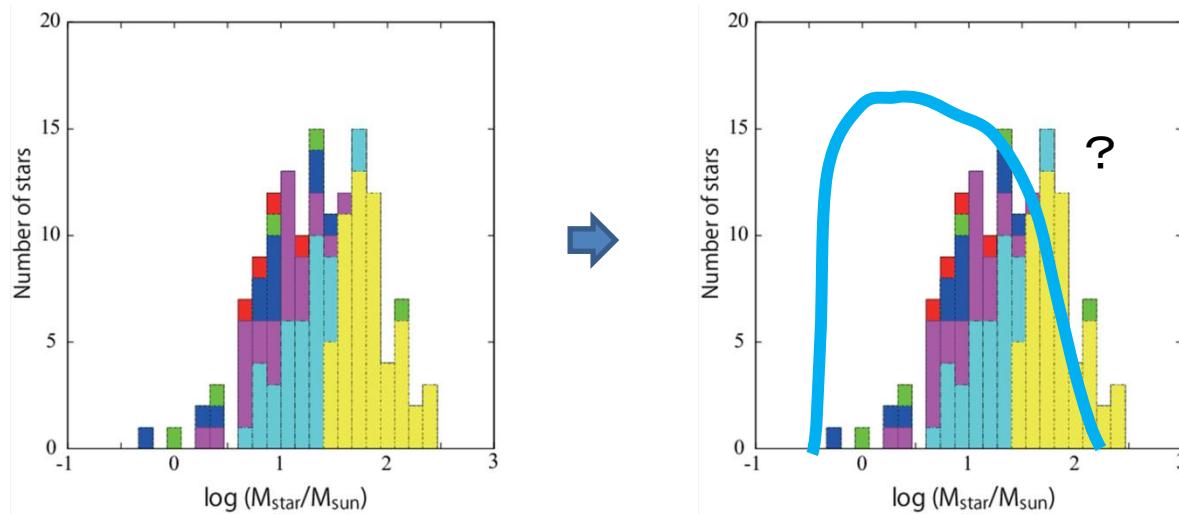
アバンダンスパターン



全体に低質量側
にIMFがシフトする
と合うセンス
もっとも合うべきである
理由はない

まとめ

- $1M_{\text{sun}} < M < 300M_{\text{sun}}$.
- $M \sim 10-100M_{\text{sun}}$ is the main part.
- Resolution issue
 - I-front breakout → Enhance the Feedback effect
 - Fragmentation at smaller scale ($< 30\text{AU}$) → Increase low mass stars?
 - Inner edge of the disk → Unknown
- Increase the number of low mass stars & reduce the upper bound ?



Stromgren Radius v.s. h_{SPH}

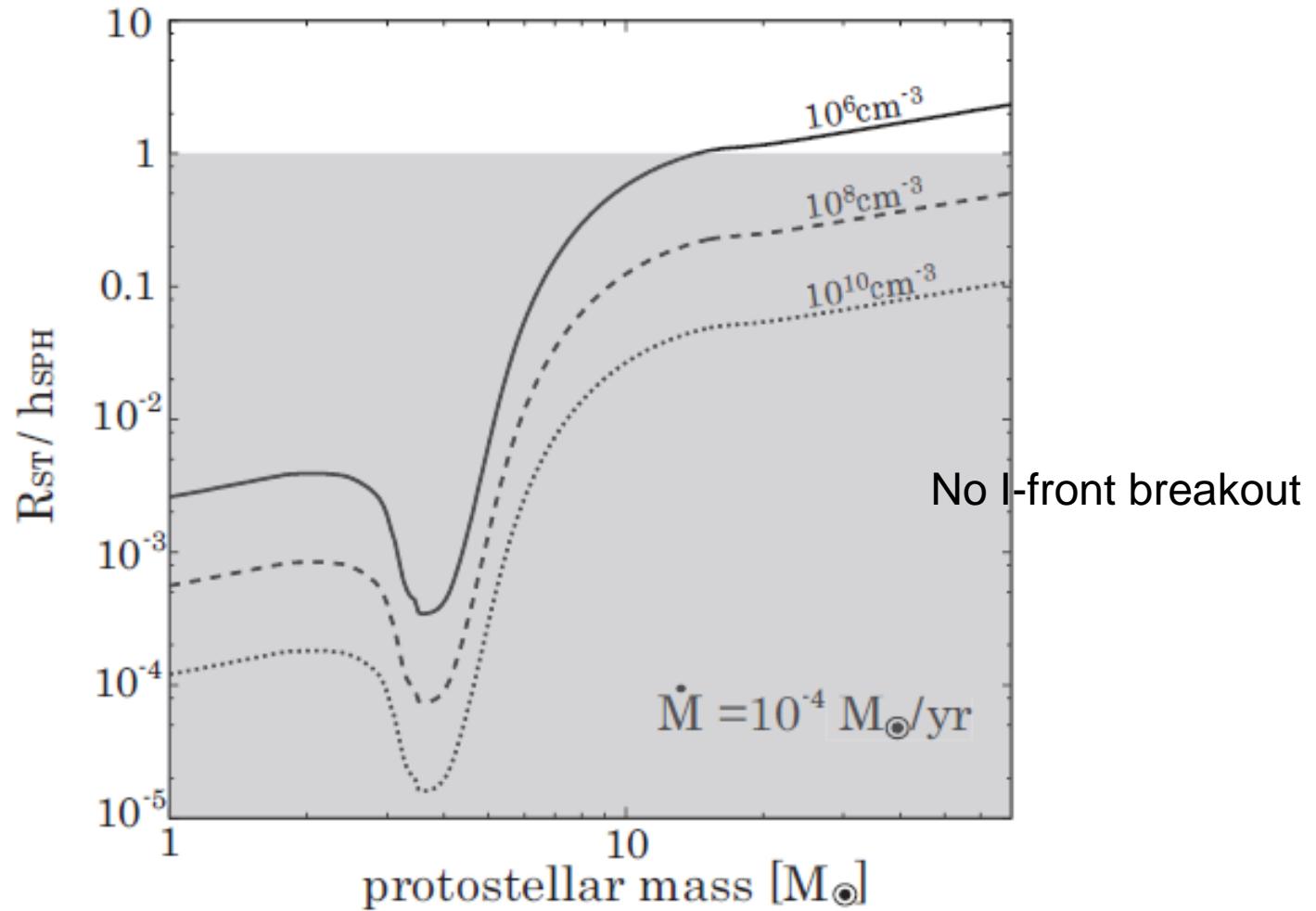


Fig. 9 The ratio between the Stromgren radius and DCT

In the present numerical experiment, the spatial resolution is not enough to Capture the propagation of ionization front → Radiative feedback is underestimated.

Sink mass v.s. Stellar mass

1. According to the employed accretion condition onto sinks, the accretion rate is overestimated (large r_{acc} , no pressure).
2. Spacial resolution is not enough to capture the propagation of I-front. Thus, we underestimate the feedback effects in this simulation.

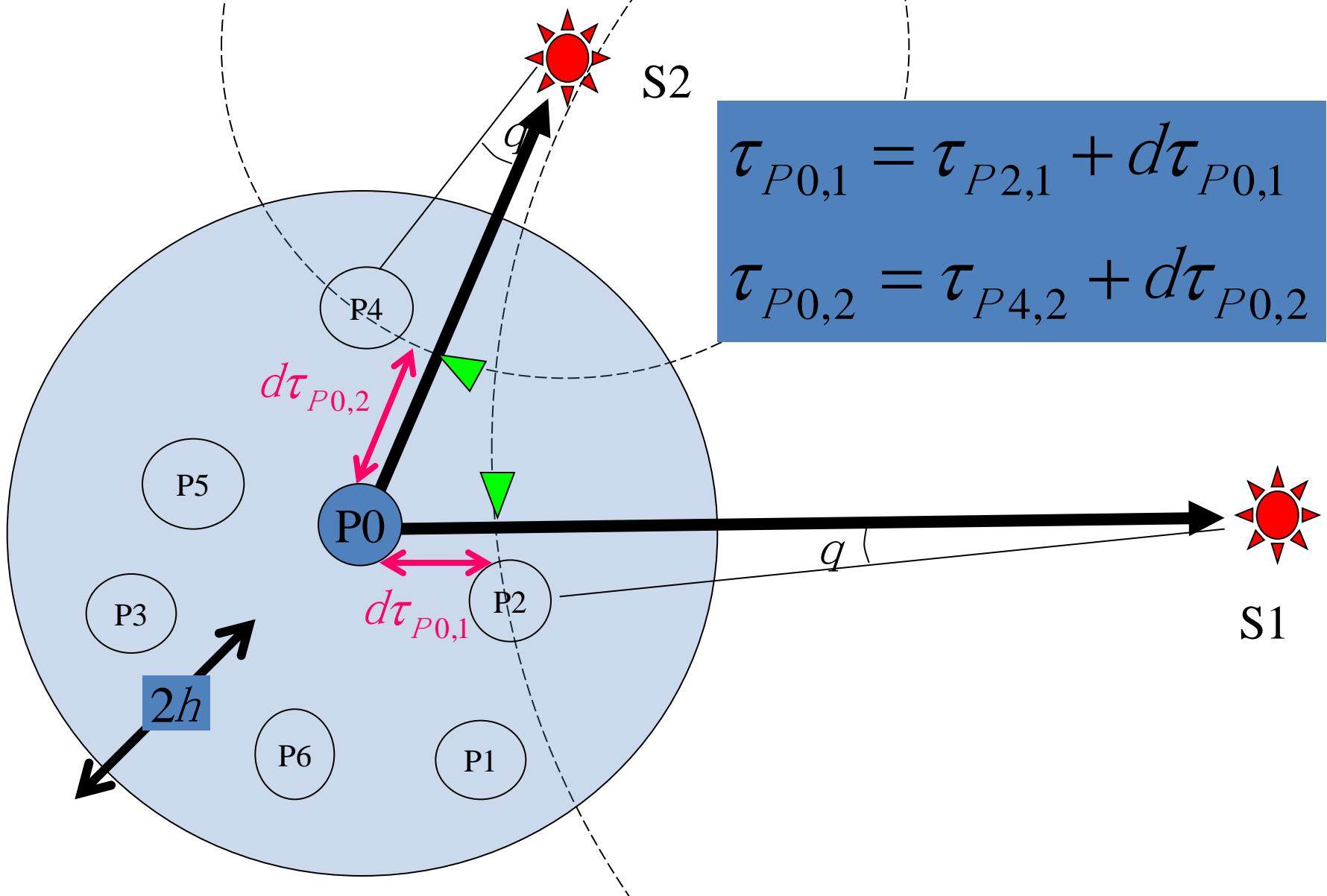
Both of two limitations enhance the mass of sink particles.
→ Obtained mass of sinks are regarded as an upper limit.

RSPH code

Susa 2006 (<http://ads.nao.ac.jp/abs/2006PASJ...58..445S>)

- Parallel BH Tree (mpi)
- SPH
- Domain decomposition : ORB
- RT solver (Ray-Tracing , mpi)
- Implicit solver for reactions and energy equation
- H₂
- On-the-Spot approximation (Case B recom.)
- Multiple sources ($\sim < 10$)
- Any Spectrum

RT solver (optical depth)



$dM/dt > 0.1 M_{\odot}/\text{yr}$

$$R_* \simeq 26 R_\odot \left(\frac{M_*}{M_\odot} \right)^{0.27} \left(\frac{\dot{M}_*}{10^{-3} M_\odot \text{ yr}^{-1}} \right)^{0.41}, \quad (6)$$

$$L = \frac{GM\dot{M}}{R_*}$$

Accretion lum. ($M < M^{*,\text{teq}}$)

$$M^{*,\text{teq}} \simeq 14.9 M_\odot \left(\frac{\dot{M}_*}{10^{-2} M_\odot \text{ yr}^{-1}} \right)^{0.26}. \quad (\text{A1})$$

$$R_* \simeq 2.6 \times 10^3 R_\odot \left(\frac{M_*}{100 M_\odot} \right)^{1/2}. \quad (11)$$

$$L_{\text{Edd}}(M_*) \simeq 3.8 \times 10^6 L_\odot \left(\frac{M_*}{100 M_\odot} \right). \quad (5)$$

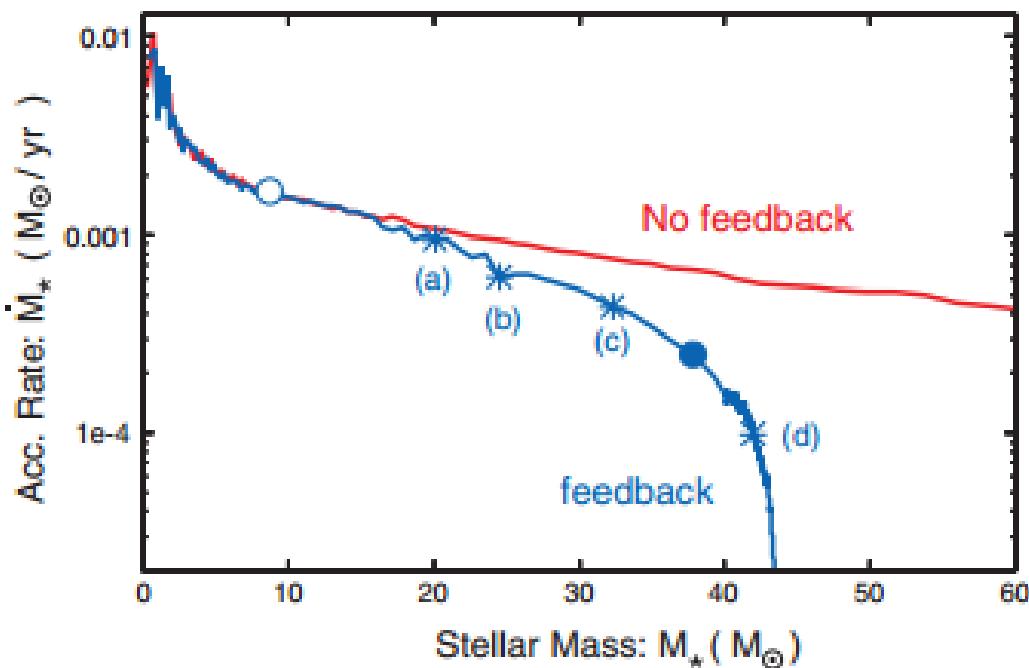
Eddington lum. ($M > M^{*,\text{teq}}$)

質量降着期のシミュレーション

Feedback from protostar(s)

Hosokawa+2011

2D RHD



$\sim 43 M_\odot$ 10^5 yrs after
the formation of protostar.

Stacy+2012

3D RHD

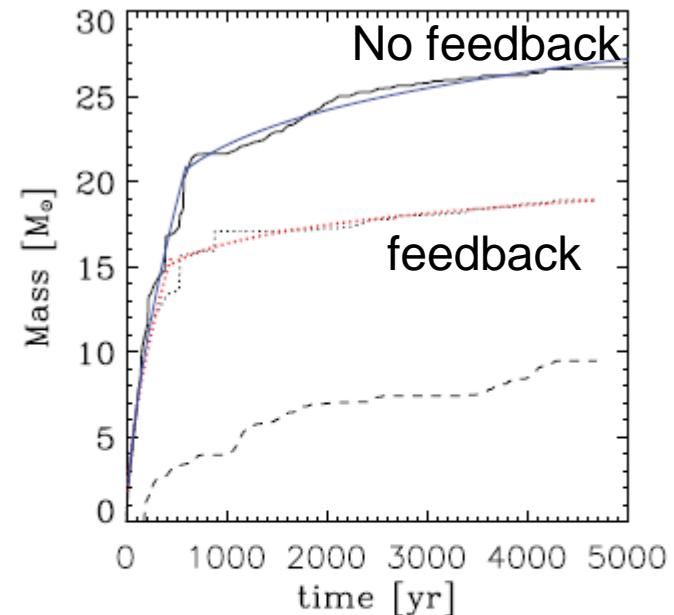


Figure 10. Effect of radiative feedback on protostellar accretion. Black solid line shows mass growth with no radiative feedback, while black dotted line shows mass growth with radiative feedback. The dotted line plateaus at $\sim 20 M_\odot$ because the main sink does not grow beyond $\sim 20 M_\odot$ in the

$\sim 20-30 M_\odot$ at 10^5 yrs estimated
by extrapolation

'with feedback' case the main sink does not grow beyond $\sim 20 M_\odot$ in the

Long term 3D calculation needed.

UV Feedback by the protostars

Depth of gravitational potential around proto-stellar disk

$$\frac{GM}{r_{disk}} > f^{-2} \frac{GM_J}{r_J} = f^{-2} \frac{G \frac{4\pi}{3} r_J^3 \rho}{r_J} = \frac{\pi^2 \gamma f^{-2}}{3\mu_{env} m_p} kT_{env}$$

Corresponding temperature

$$kT > \frac{GMm_p}{r_{disk}} = \frac{\pi^2 \gamma f^{-2}}{3\mu_{env}} kT_{env} = 9.2 kT_{env} \Rightarrow 9200 K \left(\frac{T_{env}}{10^3 K} \right)$$

- ✓ If $kT \sim > 9200K$, gas is photo evaporated

$dM/dt > 0.1 M_{\odot}/\text{yr}$

$$R_* \simeq 26 R_\odot \left(\frac{M_*}{M_\odot} \right)^{0.27} \left(\frac{\dot{M}_*}{10^{-3} M_\odot \text{ yr}^{-1}} \right)^{0.41}, \quad (6)$$

$$L = \frac{GM\dot{M}}{R_*}$$

Accretion lum. ($M < M^{*,\text{teq}}$)

$$M^{*,\text{teq}} \simeq 14.9 M_\odot \left(\frac{\dot{M}_*}{10^{-2} M_\odot \text{ yr}^{-1}} \right)^{0.26}. \quad (\text{A1})$$

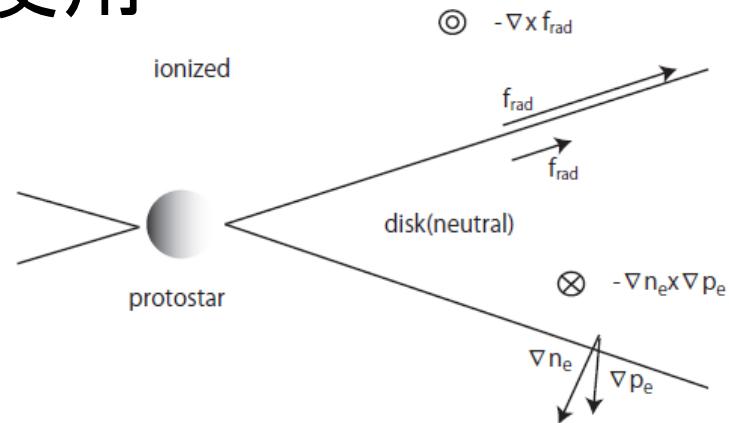
$$R_* \simeq 2.6 \times 10^3 R_\odot \left(\frac{M_*}{100 M_\odot} \right)^{1/2}. \quad (11)$$

$$L_{\text{Edd}}(M_*) \simeq 3.8 \times 10^6 L_\odot \left(\frac{M_*}{100 M_\odot} \right). \quad (5)$$

Eddington lum. ($M > M^{*,\text{teq}}$)

初代原始星周りの磁場生成

- ・ 細川計算を背景として使用
- ・ ポストプロセス



- ・ 微弱磁場の生成を計算する

$$\frac{\partial \mathbf{B}}{\partial t} = \nabla \times (\mathbf{v} \times \mathbf{B}) - \frac{c}{en_e^2} \nabla n_e \times \nabla p_e - \frac{c}{e} \nabla \times \mathbf{f}_{\text{rad}}$$

微弱磁場の発展

